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#### Key Points:

- Waterfall plunge pools are dynamic and transient repositories for sediment
- Plunge pools self-adjust their depth to pass the upstream sediment load
- Sediment-transport capacity increases for larger waterfalls and shallower pools

#### Supporting Information:

- Supporting Information S1
- Table S1
- Table S2
- Movie S1
- Codes S1

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# Sediment transport through self-adjusting, bedrock-walled waterfall plunge pools

JGR

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**Abstract** Many waterfalls have deep plunge pools that are often partially or fully filled with sediment. Sediment fill may control plunge-pool bedrock erosion rates, partially determine habitat availability for aquatic organisms, and affect sediment routing and debris flow initiation. Currently, there exists no mechanistic model to describe sediment transport through waterfall plunge pools. Here we develop an analytical model to predict steady-state plunge-pool depth and sediment-transport capacity by combining existing jet theory with sediment transport mechanics. Our model predicts plunge-pool sediment-transport capacity increases with increasing river discharge, flow velocity, and waterfall drop height and decreases with increasing plunge-pool depth, radius, and grain size. We tested the model using flume experiments under varying waterfall and plunge-pool geometries, flow hydraulics, and sediment size. The model and experiments show that through morphodynamic feedbacks, plunge pools aggrade to reach shallower equilibrium pool depths in response to increases in imposed sediment supply. Our theory for steady-state pool depth matches the experiments with an *R*<sup>2</sup> value of 0.8, with discrepancies likely due to model simplifications of the hydraulics and sediment transport. Analysis of 75 waterfalls suggests that the water depths in natural plunge pools are strongly influenced by upstream sediment supply, and our model provides a mass-conserving framework to predict sediment and water storage in waterfall plunge pools for sediment routing, habitat assessment, and bedrock erosion modeling.

## 1. Introduction

Landscape evolution in mountain areas is often set by waterfall processes, where waterfalls can retreat at rapid rates and determine landscape response to changes in climate and tectonics [e.g., *Crosby and Whipple*, 2006; *Mackey et al.*, 2014; *DiBiase et al.*, 2015]. Many waterfalls have deep, bedrock plunge pools at their base (e.g., Figure 1). Such pools have been argued to focus bedrock erosion through undercutting of the waterfall face [e.g., *Gilbert*, 1890, 1907; *Holland and Pickup*, 1976; *Haviv et al.*, 2010] and vertical incision at the plunge pool floor [*Howard et al.*, 1994; *Lamb et al.*, 2007], although additional waterfall erosion mechanisms exist including toppling of bedrock columns [e.g., *Young*, 1985; *Weissel and Seidl*, 1997; *Lamb and Dietrich*, 2009].

Over annual timescales waterfall plunge pools can fill with sediment and evacuate to intermittently expose the bedrock pool floor (Figures 1a–1d). Plunge pools that are empty or partially filled with sediment provide critical habitat for a wide range of aquatic organisms [e.g., *Hawkins et al.*, 1993]. Low water velocities within plunge pools may provide refuge for aquatic organisms during periods of high flow [e.g., *Rempel et al.*, 1999]. During warm periods, thermal stratification of deep pools provides cool water, allowing fish to escape lethal surface temperatures [*Matthews et al.*, 1994; *Nielsen et al.*, 1994; *Torgersen et al.*, 1999]. During droughts, individual plunge pools can provide isolated refugia for invertebrates and fish [*Boulton*, 2003; *Lake*, 2003; *Magoulick and Kobza*, 2003] and have been highlighted as areas of high priority for protection from disturbance and sedimentation [*Bond et al.*, 2008]. These ecological benefits are diminished when plunge pools completely or near-completely fill with sediment, and instead, filled pools in steep mountain catchments pose a natural hazard, as the availability of a thick, alluvial deposit below a waterfall jet provides ideal conditions to mobilize debris flows [e.g., *Griffiths et al.*, 2004; *Larsen et al.*, 2006; *Godt and Coe*, 2007]. As such, developing plunge-pool sediment-transport capacity theory can aid land managers to predict habitat availability and assess natural hazards.

Despite progress in predicting sediment transport in steep streams [e.g., *Yager et al.*, 2007; *Recking*, 2009; *Nitsche et al.*, 2011; *Prancevic et al.*, 2014], including streams with small vertical steps [*Zimmermann et al.*, 2010; *Yager et al.*, 2012], it is difficult to apply existing models to waterfall plunge pools, where the impinging waterfall jet and deep plunge pool create significantly different hydraulics than those assumed in existing

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**Figure 1.** Figures 1a–1d are examples of sediment filling and evacuation of waterfall plunge pools on Arroyo Seco, San Gabriel Mountains, California. (a and b) Upper Switzer Falls (USF, Table S1); (c and d) an unnamed ~2.5 m bedrock step (ASP4, Table S1). (e) Photo and (f) surveyed long-profile through a deep waterfall plunge pool with cylindrical geometry on Dry Meadow Creek, California (STC3, Table S1).

sediment transport models designed for channelized flow [e.g., *Meyer-Peter and Mueller*, 1948]. Over long timescales, plunge-pool sediment-transport capacity is a key unknown needed to make more realistic waterfall retreat models [*Lamb et al.*, 2007, 2015], and the lack of a specific theory has led to the application of river erosion models to waterfalls [e.g., *Chatanantavet and Parker*, 2006; *Berlin and Anderson*, 2007; *Crosby et al.*, 2007], which may be inappropriate.

Most existing work on sediment transport through plunge pools has focused on soil-mantled landscapes where plunge pools form beneath small alluvial headcuts, and below man-made dams and sills. For example, *Mason and Arumugam* [1985] compiled laboratory and larger-scale prototype data from engineered overfalls and spillways to develop an empirical formula predicting plunge-pool scour depth under clear-water discharge. Field studies [*Lenzi and Comiti,* 2003; *Lenzi et al.,* 2003] and laboratory experiments [*Lenzi et al.,* 2002; *Gaudio and Marion,* 2003; *Marion et al.,* 2004; *Tregnaghi et al.,* 2011] have led to empirical relationships to predict steady-state geometry and time evolution of scour holes formed beneath sills and check dams. Similarly, Pagliara and colleagues have conducted laboratory experiments on various aspects of plunge pools formed in loose sediment [e.g., *Pagliara et al.,* 2008a, 2010, 2012b]. *Stein et al.* [1993] employ an approach which has been widely adopted [e.g., *Alonso et al.,* 2002; *Hanson et al.,* 2002; *Flores-Cervantes et al.,* 2006] to predict the equilibrium plunge-pool depth in loose sediment based on the threshold of grain motion.

Applying the existing work to bedrock-walled plunge pools in mountain streams is difficult for two main reasons. First, existing work has focused on plunge pools developed in loose sediment where the plunge-pool geometry evolves over similar timescales as changes in flow hydraulics [e.g., *Stein and Julien*, 1993; *Gaudio and Marion*, 2003; *Pagliara et al.*, 2008b] and sediment supply [e.g., *Marion et al.*, 2006; *Wells et al.*, 2010; *Pagliara et al.*, 2011, 2012a]. This is in contrast to bedrock-walled plunge pools (e.g., Figure 1), where the bedrock geometry likely evolves over order  $10^2-10^5$  year timescales, such that the flow hydraulics and bedrock geometry are decoupled over individual floods. Sediment fill, however, can be deposited on top of the bedrock pool floor, allowing water depths to vary in response to changing hydraulics and sediment supply over individual flood timescales (e.g., Figure 1).

Second, for plunge pools below channel headcuts and dams, there is often negligible sediment supply from upstream, thereby enhancing the ability of the waterfall jet to scour loose sediment from the plunge pool



**Figure 2.** Schematic of waterfall plunge pool system with key variables labeled (modeled after *Flores-Cervantes et al.* [2006]). Inset shows jet-descending and return-flow regions, as well as zones of flow establishment (ZOFE) and established flow (ZOEF). Variables:  $h_n$  = normal flow depth upstream of waterfall,  $h_{pool}$  = plunge-pool depth,  $H_{drop}$  = waterfall drop height, S = channel slope,  $r_{jet}$  = waterfall jet radius at impact with plunge-pool water surface,  $r_{pool}$  = plunge-pool radius,  $u_{brink}$  = water velocity at waterfall brink,  $u_{jet}$  = waterfall jet velocity at impact with plunge-pool water surface,  $u_{lip}$  = water velocity at downstream plunge-pool lip,  $u_n$  = normal flow velocity upstream of the waterfall,  $z_{BR}$  = elevation of plunge-pool bedrock floor,  $z_{lip}$  = elevation of downstream plunge-pool lip,  $z_{mixed}$  = elevation of the top of the well-mixed layer near the pool floor,  $z_{sed}$  = elevation of plunge-pool alluvial floor,  $z_{water}$  = elevation of plunge-pool water surface,  $z_{\lambda}$  = elevation of transition between ZOEF and ZOFE,  $\delta$  = radius of jet-descending region,  $\lambda$  = length of ZOFE, and  $\tau_{pool}$  = plunge-pool bed shear stress.

compared to a natural river transporting sediment. Despite many studies on plunge-pool hydraulics [e.g., *Robinson et al.*, 2000; *Bennett and Alonso*, 2005; *Pasternack et al.*, 2007] and sediment transport under clear-water flow [e.g., *Bennett et al.*, 2000; *Lenzi et al.*, 2002; *Pagliara et al.*, 2006], there exist a limited number of experiments addressing the influence of upstream sediment supply on resulting plunge-pool depth [*Marion et al.*, 2006; *Wells et al.*, 2010; *Pagliara et al.*, 2011, 2012a]. These experimental studies show that through sediment deposition, plunge pools tend to shallow their depths in response to increasing sediment supply when all else is held constant; however, no theory has been developed to date to predict equilibrium pool depth as a function of sediment supply.

In this paper we focus on sediment transport mechanics in deep waterfall plunge pools which have steep bedrock sidewalls and sediment deposited over bedrock floors (e.g., Figure 1). We first propose a conceptual model where plunge-pool sediment-transport capacity is modulated by dynamic adjustment of pool depth. Herein the term pool depth refers to the vertical distance bounded by the downstream plunge-pool lip and the top of the alluvial fill (if it exists) at the pool floor (Figure 2) and represents the depth of water in the pool at the condition of vanishing overflow into the downstream river reach (e.g., the residual pool depth in the sense of *Lisle* [1987] and *Lisle and Hilton* [1992]). The pool floor can be sediment or bedrock, but in this paper we refer only to adjustment of the alluvial floor. Second, we develop a physically based model to predict the sediment-transport capacity and equilibrium pool depth of bedrock-walled waterfall plunge pools. Third, we describe controlled laboratory experiments designed to test the model and explore model predictions. Finally, we discuss limitations of the model, application to field scale, and the implication of these results in the context of plunge-pool sediment transport over short timescales, and bedrock erosion over longer timescales.

#### 2. Hypothesis and Motivation

Similar to alluvial rivers which self-adjust their slope, width, and depth in response to changes in sediment supply and water discharge [e.g., *Mackin*, 1948; *Lane*, 1955], we hypothesize that bedrock-walled waterfall plunge pools are dynamic systems that self-adjust their depth through erosion and deposition of sediment

to maintain an equilibrium between plunge-pool sediment-transport capacity ( $Q_{sc_pool}$ , units of [L<sup>3</sup>/T], see the notation section) and the imposed sediment supply from upstream (Figure 2). Thus, at equilibrium conditions, the sediment flux into the pool equals the sediment flux out, and the pool depth is at a steady state as long as the underlying bedrock floor is not exposed. For example, we expect the equilibrium pool depth for a given sediment supply and water discharge to transiently aggrade following an increase in sediment supply or decrease in water discharge. In turn, as the pool shallows, we expect an increase in the capacity of the jet to transport sediment out of the pool, thus decreasing the imbalance between sediment supply and transport capacity, and leading eventually to a new, shallower steady-state depth. The same negative feedback should hold following a decrease in sediment supply or increase in water discharge, whereby pools are expected to transiently scour and deepen until either a new, deeper equilibrium depth is reached or the bedrock floor is exposed.

Changes in plunge-pool depth influence  $Q_{sc_pool}$  in at least two distinct ways. First, greater pool depths result in a reduction in bed shear stress at the pool floor, as the waterfall jet must diffuse through a deeper water column before impinging upon the bed, thus decreasing the ability of the jet to entrain sediment [e.g., *Albertson et al.*, 1950; *Rajaratnam*, 1976; *Stein et al.*, 1993]. Second, as pools deepen, sediment must be suspended higher in the water column in order to be transported over the plunge-pool walls and into the river reach downstream. Changes in pool depth might also influence lift forces within the pool [*Fiorotto and Rinaldo*, 1992; *Pasternack et al.*, 2007], although this effect has yet to be studied in detail. Under this framework, the presence of upstream sediment supply in natural plunge pools should lead to shallower pool depths at equilibrium, all else held constant, compared to what is expected from clear-water overspill below dams and sills.

Our hypothesis of dynamic adjustment of pool depth in response to changes in sediment supply is consistent with field observations of sediment deposited over bedrock plunge-pool floors as well as cycles of sediment fill and evacuation in response to floods and fires (e.g., Figure 1). Quantitative predictions of sediment fill and evacuation require theory to predict waterfall plunge-pool sediment-transport capacity, which we develop below.

#### 3. Theory

We seek to develop theory predicting waterfall plunge-pool sediment-transport capacity for pools with fixed, vertical bedrock walls and fluctuating levels of alluvial fill. Following our conceptual model above, plunge-pool sediment-transport capacity theory should also be capable of predicting equilibrium plunge-pool depth by iteratively solving for the pool depth at which sediment-transport capacity is equal to the imposed sediment supply. The ideal theory should not only work over short timescales (i.e., individual floods) when hydro-dynamics and sediment transport are coupled in order to predict equilibrium pool depth but should also be computationally tractable to use over geomorphic timescales where plunge-pool bedrock geometry evolves due to abrasion from impacting particles [e.g., *Lamb et al.*, 2007]. This approach is akin to a geomorphic transport law (in the sense of *Dietrich et al.* [2003]) and allows coupling with existing sediment transport and bedrock erosion models to include waterfall processes in larger-scale river long-profile and landscape evolution models.

Water flow in natural plunge pools exhibits complex velocity patterns where the impinging waterfall jet spreads within the pool before impacting the bed and circulating [e.g., *Robinson et al.*, 2000; *Bennett and Alonso*, 2005; *Pasternack et al.*, 2007]. Modeling flow fields requires running computationally intensive 3-D numerical simulations [e.g., *Xu et al.*, 2002], which goes against our goal of developing theory which can be applied easily over long timescales. Instead, we make simplifying assumptions for the plunge-pool geometry and hydrodynamics to develop an analytical solution. Our model is simplified to cylindrical, bedrock-walled plunge pools and predicts transient deposition or scour of a planar alluvial fill deposited over a bedrock plunge-pool floor to reach a new, equilibrium depth (e.g., Figures 1f and 2). Following advances in river sediment-transport capacity, we develop a 1-D sediment-transport capacity theory for bedrock plunge pool floor, and axisymmetric flow. We hypothesize that sediment transport is most sensitive to upward directed flow, which aids transport of grains up and out of pools. To this end, we simplify water flow within the plunge pool by assuming the pool can be divided into two separate regions, a cylindrical jet-descending region where the waterfall jet flows downward to the plunge-pool floor and entrains sediment, and an annular jet return-flow region where upward directed flow carries sediment to

the water surface and out of the pool (Figure 2). We neglect radial advection of sediment between the two regions and instead drive radial sediment transport by turbulent diffusion.

We describe plunge-pool hydraulics and sediment transport within a radial coordinate system with an origin at the point of jet impact on the plunge-pool floor where the vertical (*z*) and radial (*r*) coordinates are positive in the upward and outward direction, respectively (Figure 2). As shown in Figure 2, pool depth is defined as  $h_{pool} = z_{lip} - z_{sed}$ , where  $z_{lip}$  is the elevation of the downstream plunge-pool lip and  $z_{sed}$  is the elevation of the top of the sediment bed at the base of the pool. If the pool is evacuated to bedrock, then  $z_{sed}$  should be replaced with the elevation of the bedrock pool floor. Note that defining the upper limit of the pool depth to be  $z_{lip}$  rather than the elevation of the water surface ensures that pool depth is not a function of water stage, and therefore, dry pools can be compared to wet pools [*Lisle*, 1987]. A MATLAB script to calculate plunge-pool sediment-transport capacity based on the theory is included in the supporting information.

#### 3.1. Plunge-Pool Bed Shear Stress

Existing river and jet hydrodynamic theories show that water accelerates toward the brink of the waterfall due to the loss of hydrostatic pressure [*Rouse*, 1936, 1937b; *Hager*, 1983], and, once past the brink, the waterfall jet is commonly modeled as accelerating during freefall through the air [e.g., *Stein et al.*, 1993; *Ervine et al.*, 1997]. After impacting the water surface of the plunge pool, the jet first travels a finite length before friction from the surrounding water is felt at the jet centerline; this zone is commonly referred to as the Zone of Flow Establishment (ZOFE) [e.g., *Albertson et al.*, 1950; *Rajaratnam*, 1976]. Deeper within the pool, the jet decelerates in a zone referred to as the Zone of Established Flow (ZOEF) (Figure 2).

We calculate plunge-pool bed shear stress,  $\tau_{pool}$ , where the waterfall jet impinges on the plunge-pool floor following the framework of *Stein et al.* [1993]. Within the jet-descending region,  $\tau_{pool}$  is calculated as

$$\tau_{\text{pool}} = \rho C_{f_{\text{pool}}} u_{\text{impact}}^2, \tag{1}$$

where  $C_{f_pool}$  is an empirical friction factor for the pool,  $\rho$  is fluid density, and  $u_{impact}$  is the waterfall jet velocity at impact with the plunge-pool floor.  $u_{impact}$  depends on whether the jet is within the ZOEF or ZOFE, such that calculating  $u_{impact}$  first requires an estimate of the length scale of the ZOFE,  $\lambda$ , which is commonly represented as [e.g., *Stein et al.*, 1993]

λ

$$= 2C_d^2 r_{\rm jet} \sin\beta. \tag{2}$$

Here  $C_d$  is a diffusion constant empirically found to be ~2.6 for plunge pools [*Beltaos and Rajaratnam*, 1973; *Beltaos*, 1976],  $r_{jet}$  is the waterfall jet radius, and  $\beta$  is the jet impact angle with respect to the water surface (Figure 2). We calculate  $\beta$  from the water velocity at the waterfall brink,  $u_{brink}$ , and the waterfall drop height,  $H_{drop}$ ; i.e.,

$$\beta = \tan^{-1} \left( \frac{\sqrt{2gH_{drop}}}{u_{brink}} \right), \tag{3}$$

where g is gravitational acceleration.

To calculate the jet radius, we assume a circular jet and apply conservation of mass for water flow (i.e.,  $Q_w = u_{jet}A_{jet}$ , where  $Q_w$  is water discharge and  $u_{jet}$  and  $A_{jet}$  are the jet velocity and cross-sectional area at impact with the plunge-pool water surface, respectively) to solve for  $r_{jet}$  as

$$r_{\rm jet} = \left(\frac{A_{\rm jet}}{\pi}\right)^{1/2} = \left(\frac{Q_w}{\pi u_{\rm jet}}\right)^{1/2}.$$
(4)

Using conservation of energy and neglecting jet breakup and energy losses due to air drag and wind, u<sub>jet</sub> can be calculated as

$$u_{\rm jet} = \sqrt{u_{\rm brink}^2 + 2gH_{\rm drop}}.$$
 (5)

The jet centerline velocity within the plunge pool is constant in the ZOFE (i.e., for  $z > z_{\lambda}$ , where  $z_{\lambda} = z_{water} - \lambda$  is the elevation at the boundary between the ZOFE and ZOEF and  $z_{water}$  is the elevation of the plunge-pool

water surface, Figure 2) and decreases with distance within the ZOEF (i.e., for  $z < z_i$ ). Jet impact velocity on the pool floor can be calculated following well-established theory as [e.g., *Albertson et al.*, 1950; *Stein et al.*, 1993]

$$u_{\text{impact}} = u_{\text{jet}} \text{ for } z_{\text{sed}} > z_{\lambda},$$
 (6a)

$$u_{\text{impact}} = u_{\text{jet}} \sqrt{\frac{\lambda}{z_{\text{water}} - z_{\text{sed}}}} \quad \text{for} \quad z_{\text{sed}} < z_{\lambda}.$$
 (6b)

Note that if no sediment is deposited on the pool floor,  $z_{sed} = z_{BR}$ , where  $z_{BR}$  is the elevation of the bedrock pool floor.

By combining equations (1) to (6a) and (6b), plunge-pool bed shear stress can be calculated from upstream flow conditions ( $u_{\text{brink}}$  and  $Q_w$ ), waterfall plunge-pool geometry ( $z_{\text{sed}}$  and  $H_{\text{drop}}$ ), tailwater elevation ( $z_{\text{water}}$ ), and constants ( $C_{f_{\text{pool}}}$ ,  $C_d$ , and g) as

$$r_{\text{pool}} = \rho C_{f_{\text{pool}}} \left( u_{\text{brink}}^2 + 2g H_{\text{drop}} \right) \quad \text{for} \quad z_{\text{sed}} > z_{\lambda},$$
 (7a)

$$\tau_{\text{pool}} = \rho C_{f_{\text{pool}}} \left( u_{\text{brink}}^2 + 2gH_{\text{drop}} \right) \left[ 2C_d^2 \frac{Q_w^{1/2}}{\left( \pi \sqrt{u_{\text{brink}}^2 + 2gH_{\text{drop}}} \right)^{1/2} (z_{\text{water}} - z_{\text{sed}})} \sin\left( \tan^{-1} \left[ \sqrt{2gH_{\text{drop}}} / u_{\text{brink}} \right] \right) \right]$$
for
$$z_{\text{sed}} < z_{\lambda}.$$
(7b)

Calculating  $\tau_{pool}$  requires an estimate of the flow velocity at the waterfall brink, which can be solved for straight 1-D escarpments following established theory [*Rouse*, 1936, 1937b; *Hager*, 1983] as

$$u_{\text{brink}} = u_n \left(\frac{0.4 + Fr_n^2}{Fr_n^2}\right) \quad \text{for} \quad Fr_n > 1,$$
(8a)

$$u_{\text{brink}} = u_n \left(\frac{1.4}{Fr_n^{2/3}}\right) \text{ for } Fr_n < 1.$$
(8b)

 $Fr_n$  and  $u_n$  in equation (8) are the Froude number and flow velocity, respectively, under the assumption of normal (steady and uniform) flow, which is assumed to occur upstream of the waterfall.  $Fr_n$  is the ratio of water velocity relative to the shallow-water wave speed and is defined as

$$Fr_n = \frac{u_n}{\sqrt{gh_n}},\tag{9}$$

where  $h_n$  is the normal flow depth upstream (Figure 2). Due to the normal flow assumption (i.e.,  $\tau_{river} = \rho g h_n S = \rho C_{f_river} u_n^2$ , where  $\tau_{river}$  and  $C_{f_river}$  are the river bed shear stress and friction factor, respectively, and S is channel slope),  $Fr_n$  can also be represented by the ratio of S and  $C_{f_river}$  as

$$Fr_n = \sqrt{\frac{\mathsf{S}}{C_{f_{\mathrm{river}}}}}.$$
 (10)

For horseshoe-shaped waterfalls where flow converges laterally, equations (8a) and (8b) can be replaced with the theory of *Lapotre and Lamb* [2015].

Finally, to apply equation (7b), we need to constrain the elevation of the water surface in the pool,  $z_{water}$ , which we do using mass balance at the downstream plunge-pool lip. The depth of flow at the downsteam lip,  $z_{water} - z_{lip}$ , can be found by conserving mass for water overflow (i.e.,  $Q_w = u_{lip}W[z_{water} - z_{lip}]$ , where *W* is reach-averaged channel width and  $u_{lip}$  is the water velocity at the downstream plunge-pool lip, Figure 2), and assuming a Froude number of unity at the downstream plunge-pool lip [*Chow*, 2009], such that

$$(z_{\text{water}} - z_{\text{lip}}) = \left(\frac{Q_w}{W\sqrt{g}}\right)^{2/3},$$
 (11)

equation (11) can be solved for  $z_{water}$  using a value for  $z_{lip}$  (which is assumed to be known).

By combining equations (7) through (11) and conserving mass ( $Q_w = u_n W h_n$ ),  $\tau_{pool}$  can be calculated from five field-measurable variables ( $h_{pool}$ ,  $H_{drop}$ ,  $Q_w$ , S, and W) and six constants ( $C_d$ ,  $C_{f_{pool}}$ ,  $C_{f_{river}}$ , g,  $\rho$ , and  $\pi$ ), where pool depth is calculated by definition as  $h_{pool} = z_{lip} - z_{sed}$ .

All six of these constants above are known or have been specified above except for the friction factors within the pool and the river section. Many empirical relations exist to estimate  $C_{f_{river}}$  [e.g., *Garcia*, 2008], with relationships often based on ratios of channel roughness or grain size (*D*) to flow depth [e.g., *Parker*, 1991], e.g.,

$$C_{f_{\text{river}}} = \left[ 8.1 (h_n/D)^{(1/6)} \right]^{-2}.$$
 (12)

*Parker* [2008] compiled data for sand and gravel-bedded streams showing  $C_{f_{river}}$  tends to be around ~10<sup>-2</sup> to 10<sup>-3</sup>. Less work has been done to estimate the plunge-pool friction factor. *Stein et al.* [1993] estimate  $C_{f_{pool}}$  to be a function of waterfall jet Reynolds number, but most natural waterfalls should be fully turbulent such that  $C_{f_{pool}}$  should be independent of the Reynolds number. Modifying equation (12) for plunge pools (i.e.,  $C_{f_{pool}} = [8.1([z_{water} - z_{sed}]/D)^{(1/6)}]^{-2})$  yields  $C_{f_{pool}}$  estimates of order 10<sup>-3</sup> using plunge-pool depth and grain size measurements we surveyed in the field (section 4 and Table S1 in the supporting information). For simplicity, we set  $C_{f_{pool}} = 10^{-3}$ .

#### 3.2. Jet Spreading and Return Flow

Diffusion of the waterfall jet into the surrounding water within the ZOEF results in a reduction in jet velocity and an increase in jet planform area [e.g., *Albertson et al.*, 1950; *Rajaratnam*, 1976]. Experimental work has shown that within the ZOEF turbulent jets are characterized by self-similar velocity profiles [e.g., *Abramovich and Schindel*, 1963; *Giger et al.*, 1991; *Rowland et al.*, 2009]. Radial jet spreading with distance into the ZOEF is typically described by the length of its half-width, b(z), which represents the radial distance at which the jet velocity has dropped to one half of the jet centerline velocity. Within the ZOEF ( $z < z_{\lambda}$ ), we assume the half-width increases with increasing distance along the jet centerline following existing theoretical expectations and experimental observations [e.g., *Abramovich and Schindel*, 1963; *Giger et al.*, 1991], such that

$$b(z) \approx 0.1(z_{water} - z - \gamma)$$
 for  $z < z_{\lambda}$ , (13a)

where  $\gamma$  is a virtual origin which we assume is equal to zero. The half-width is less sensitive to distance within the ZOFE ( $z > z_{\lambda}$ ) [e.g., *Albertson et al.*, 1950], such that we assume a constant half-width within this zone based on the half-width at  $z = \lambda$ 

$$b(z) \approx 0.1(z_{water} - z_{\lambda} - \gamma)$$
 for  $z > z_{\lambda}$ . (13b)

For jets that impact the plunge-pool water surface at near vertical angles, equation (13b) reduces to  $b(z > z_{\lambda}) \approx 1.4r_{jet}$ . At radial distances of r > 2b(z) the jet velocity approaches that of the surrounding fluid, and we define the extent of the jet-descending region to be a vertically-oriented cylinder of radius  $\delta = 2b(z = z_{sed})$  centered on the point of jet impingement on the plunge pool floor (Figure 2).

We define the jet return-flow region at radial distances  $\delta < r < r_{pool}$ , where  $r_{pool}$  is the plunge-pool radius. We assume water flows upwards in this region, providing a net upward directed current that aids transport of sediment out of the plunge pool (Figure 2). We estimate the upward velocity within the jet return-flow region,  $w_{up}$ , from conservation of mass as

$$w_{\rm up} = \frac{Q_w}{\left(A_{\rm pool} - A_{\rm jet}\right)},\tag{14}$$

where  $A_{pool} = \pi r_{pool}^2$  is the plunge-pool cross-sectional area. Equation (14) represents a plunge pool averaged estimation, assuming  $w_{up}$  is not a function of *z* and *r*. Note that equation (14) uses the jet radius at  $z_{water}$  rather than a radius based on the size of the jet within the pool to better characterize upward flow velocity near the top of the plunge pool, which will be shown to be important to determine sediment flux out of the pool.

#### 3.3. Plunge-Pool Sediment Concentration

Conservation of suspended sediment at steady state can be written in terms of volumetric sediment concentration, *c*, within the jet return-flow region as

$$\frac{1}{r}\frac{\partial}{\partial r}(ru_{r}c) + \frac{1}{r}\frac{\partial}{\partial \theta}(u_{\theta}c) + \frac{\partial}{\partial z}\left(\left[w_{up} - w_{s}\right]c\right) = 0.$$
(15)

Here  $\theta$  is an azimuthal coordinate,  $u_r$  and  $u_{\theta}$  represent flow velocities in the radial and azimuthal directions, respectively, and  $w_s$  is particle terminal settling velocity (positive in the downward direction) calculated for dilute flow following *Ferguson and Church* [2004]

$$w_{s} = \frac{RgD^{2}}{a_{1}v + \sqrt{0.75a_{2}RgD^{3}}}.$$
 (16)

 $R = (\rho_s - \rho)/\rho$  is the submerged specific sediment density,  $\rho_s$  is the sediment density, v is the kinematic fluid viscosity, and  $a_1 = 20$  and  $a_2 = 1.1$  are empirical constants. We define the net particle settling velocity as  $w_{net} = w_s - w_{up}$  which represents the difference between the particle gravitational settling velocity and the upward return flow.

Decomposing velocities and sediment concentration into temporal averages (denoted by overbars) and fluctuating components (denoted by prime marks), (i.e.,  $u_r(r,t) = \overline{u_r(r)} + u_r(r,t)'$ ,  $w_{up}(t) = \overline{w_{up}} + w_{up}(t)'$ , and  $c(r,z,t) = \overline{c(r,z)} + c(r,z,t)'$ , where *t* is time (i.e., Reynolds decomposition)), neglecting the mean radial velocity based on our assumption of purely vertical flow (i.e.,  $\overline{u_r(r)} = 0$ ), and assuming axisymmetric flow (i.e.,  $\partial/\partial\theta = 0$ ) reduce equation (15) to

$$\frac{1}{r}\frac{\partial}{\partial r}\left(r\overline{u_{r}c'}\right) + \frac{\partial}{\partial z}\left(\overline{w_{up}c'}\right) - w_{net}\frac{\partial\overline{c}}{\partial z} = 0.$$
(17)

Equation (17) states that variation in sediment concentration throughout the plunge pool is set by a balance between turbulent diffusion and particle settling. Neglecting radial advection in equation (17) is partially supported by a recent study showing turbulent kinetic energy better predicts sediment scour from plunge pools compared to bed shear stress from radial jets along the pool floor [*Ghaneeizad et al.*, 2015]. Solving equation (17) throughout the plunge pool requires applying boundary conditions that are difficult to determine. As plunge-pool sediment-transport capacity is sensitive to sediment concentration at the downstream plunge-pool lip, we solve for sediment concentration only along boundaries at the pool floor and along the walls. Similar in concept to a bed load layer [e.g., *McLean*, 1992], we assume there exists a thin layer of well-mixed sediment along the plunge-pool floor and define  $z_{mixed}$  as the elevation of the top of this layer (Figure 2). We define sediment concentration along boundaries at the pool wall ( $r = r_{pool}$ ,  $z_{mixed} < z < z_{water}$ ) and at the top of the mixed layer near the pool floor within the jet return-flow region ( $\delta < r < r_{pool}$ ,  $z = z_{mixed}$ ).

There is no radial flux of sediment through the plunge-pool walls, such that at the boundary  $r = r_{pool}$  equation (17) reduces to

$$\frac{\mathrm{d}}{\mathrm{d}z}\left(\overline{w_{\mathrm{up}}'c'(r_{\mathrm{pool}},z)}\right) - w_{\mathrm{net}}\frac{\mathrm{d}c(r_{\mathrm{pool}},z)}{\mathrm{d}z} = 0. \tag{18}$$

Equation (18) is technically only valid at  $z < z_{lip}$  because radial fluxes at  $z_{lip} < z < z_{water}$  are responsible for transporting sediment out of the pool; however, for pools that are deep relative to the tailwater depth  $([z_{lip} - z_{sed}] >> [z_{water} - z_{lip}])$ , equation (18) should be a reasonable approximation. Equation (18) represents a balance between net particle settling and turbulent diffusion similar to classic descriptions of sediment suspension for shear flows [e.g., *Rouse*, 1937a]. We represent the turbulent flux of sediment using an eddy viscosity,  $v_{er}$  assumed to be constant within the plunge pool

$$\overline{w'_{up}c'(r_{pool},z)} = -v_e \frac{dc(r_{pool},z)}{dz}.$$
(19)

Substituting equation (19) into (18) and integrating under the condition of zero net vertical sediment flux at the water surface yields

$$\frac{\mathrm{d}c(r_{\mathrm{pool}},z)}{\mathrm{d}z} = -\frac{w_{\mathrm{net}}}{v_e}\overline{c(r_{\mathrm{pool}},z)} = -\frac{c(r_{\mathrm{pool}},z)}{L_d}.$$
(20)

The quantity  $v_e/w_{net} = L_d$  represents a length scale over which turbulence mixes sediment, similar in concept to a diffusion length scale. We solve for  $\overline{c(r_{pool}, z)}$  by integrating equation (20) and applying the boundary

condition of a known reference sediment concentration at the top of the well-mixed layer,  $\overline{c(r_{pool}, z_{mixed})} = c_0$ . Assuming  $L_d$  is not a function of z, this integration yields

$$\overline{c(r_{\text{pool}}, z)} = c_0 \exp\left(-\frac{(z - z_{\text{mixed}})}{L_d}\right).$$
(21)

To find  $c_0$  in equation (21), we solve for sediment concentration at the top of the well-mixed layer within the jet return-flow region (i.e.,  $\delta < r < r_{\text{pool}}$  and  $z = z_{\text{mixed}}$ ). Following our conceptualization in Figure 2, there is no entrainment of sediment from the bed within the jet return-flow region, and we neglect all vertical fluxes except for settling, such that equation (17) reduces to

$$\frac{1}{r}\frac{d}{dr}\left(r\overline{u_{r}'c'(r,z_{\text{mixed}})}\right) - w_{\text{net}}\frac{d\overline{c(r,z_{\text{mixed}})}}{dz} = 0.$$
(22)

We represent turbulent mixing of sediment with an eddy viscosity as in equation (19); i.e.,

$$\overline{u'_r c'(r, z_{\text{mixed}})} = -v_e \frac{\mathrm{d}c(r, z_{\text{mixed}})}{\mathrm{d}r}.$$
(23)

Substituting equation (23) into (22), and, for simplicity, assuming that  $v_e$  is not a function of r, yields

$$\frac{\mathrm{d}^2 c(r, z_{\mathrm{mixed}})}{\mathrm{d}r^2} + \frac{1}{r} \frac{\mathrm{d}\overline{c}(r, z_{\mathrm{mixed}})}{\mathrm{d}r} + \frac{w_{\mathrm{net}}}{v_e} \frac{\mathrm{d}\overline{c}(r, z_{\mathrm{mixed}})}{\mathrm{d}z} = 0.$$
(24)

Equation (24) is a second-order linear partial differential equation which we solve using separation of variables and by applying boundary conditions of no sediment flux at the plunge-pool walls, known sediment concentration,  $c_{br}$  at the boundary between the jet-descending and return-flow regions, and that sediment concentration must match where the top of the mixed layer meets the pool wall at ( $r_{poolr}, z_{mixed}$ )

$$\frac{\mathrm{d}c(r_{\mathrm{pool}}, z_{\mathrm{mixed}})}{\mathrm{d}r} = 0, \tag{25a}$$

$$\overline{c(\delta, z_{\mathsf{mixed}})} = c_b, \tag{25b}$$

$$c(r_{\text{pool}}, z_{\text{mixed}}) = c_0. \tag{25c}$$

Solving equation (24) with the boundary conditions specified in equations (25a), (25b), (25c) yields

$$\overline{c(r, z_{\text{mixed}})} = c_b \left( \frac{I_0(r/L_d) + \frac{I_1(r_{\text{pool}}/L_d)}{K_1(r_{\text{pool}}/L_d)} K_0(r/L_d)}{I_0(\delta/L_d) + \frac{I_1(r_{\text{pool}}/L_d)}{K_1(r_{\text{pool}}/L_d)} K_0(\delta/L_d)} \right).$$
(26)

 $I_0$ ,  $K_0$ ,  $I_1$ , and  $K_1$  in equation (26) are the modified Bessel functions of the first and second kind of order 0 and 1, respectively, and appear in equation (26) due to the cylindrical geometry imposed. Formulating the same problem in a rectangular geometry would yield a solution with cross-stream exponential decay of sediment concentration, analogous to that used by *Pizzuto* [1987], and may be more appropriate for waterfalls with wide, curtain-like jets. Note that equation (26) is derived specifically for the bottom boundary of the jet return-flow region and should hold for  $r > \delta$ . For  $r < \delta$  we set  $\overline{c(r, z_{mixed})} = c_b$  under the assumption that sediment concentration is well mixed with respect to r within the jet-descending region.

Finally, combining equations (21), (25c), and (26) yields our final equation to predicted sediment concentration along the plunge-pool wall

$$\overline{c(r_{\text{pool}},z)} = c_b \exp\left(-\frac{(z-z_{\text{mixed}})}{L_d}\right) \left(\frac{l_0(r_{\text{pool}}/L_d) + \frac{l_1(r_{\text{pool}}/L_d)}{K_1(r_{\text{pool}}/L_d)}K_0(r_{\text{pool}}/L_d)}{l_0(\delta/L_d) + \frac{l_1(r_{\text{pool}}/L_d)}{K_1(r_{\text{pool}}/L_d)}K_0(\delta/L_d)}\right).$$
(27)

Note that when  $L_d < 0$  (which can occur if  $w_{net} < 0$ ; i.e., upward advective velocity is greater than particle gravitational settling), we set  $\overline{c(r_{pool}, z)} = c_b$ ; i.e., sediment is well-mixed throughout the pool. Additionally, when  $z < z_{mixed}$  (i.e., for pool depths shallower than the mixed layer thickness), we set the exponential term in equation (27) to unity.

To apply equation (27), we must specify  $v_e$ ,  $z_{mixed}$ , and  $c_b$ . Following the approach of *Prandtl* [1925], we assume  $v_e$  scales with turbulent fluctuations on the plunge-pool floor, which we represent with the plunge-pool shear velocity at the bed,  $u_{*pool}$ , as is commonly observed in open-channel flows [e.g., *Nezu and Nakagawa*, 1993], and a mixing length scale over which the impinging jet diffuses into the pool, for which we use  $\lambda$ , resulting in

$$v_e = k_1 \left(\tau_{\text{pool}}/\rho\right)^{1/2} \lambda = k_1 u_{*\text{pool}} \lambda.$$
(28)

Here  $k_1$  is a coefficient which we set equal to unity. Similar Prandtl-type approaches have been applied to turbulent jets [e.g., *Albertson et al.*, 1950; *Abramovich and Schindel*, 1963; *Bradbury*, 1965]. These studies typically use a turbulent mixing length related to the jet half-width as they are primarily interested in describing the lateral spread of the jet within the ZOEF, whereas we wish to characterize both the radial and vertical turbulence throughout the plunge pool. Using a mixing length related to jet half-width instead of  $\lambda$  affects the absolute magnitude, but not the trends, of plunge-pool sediment-transport capacity predictions presented below.

We assume the height of the well-mixed zone of sediment near the pool floor extends to the peak saltation height of bed load particles and estimate  $z_{mixed}$  with the empirical formula from *Sklar and Dietrich* [2004] for noncohesive particles with large particle Reynolds numbers, i.e.,  $z_{mixed} = 1.44D(\tau_{*pool}/\tau_{*c} - 1)^{0.5} + z_{sed}$ .  $\tau_{*c}$  is the nondimensional critical Shields stress for incipient grain motion which is observed to be approximately constant (i.e.,  $\tau_{*c} = 0.045$ ) for gravel-sized particles and larger [*Buffington and Montgomery*, 1997]. The critical Shields stress for finer sediment can be found from *Brownlie* [1981].  $\tau_{*pool}$  is the nondimensional Shields stress at the base of the plunge pool and is defined as

$$r_{*pool} = \frac{\tau_{pool}}{(\rho_{s} - \rho)gD}.$$
(29)

Following standard sediment entrainment theory [e.g., van Rijn, 1984], we assume that for plunge pools at steady-state depths the near-bed sediment concentration equals the dimensionless sediment entrainment rate, which scales with plunge-pool transport stage ( $\tau_{*pool}/\tau_{*c}$ ) as

$$c_b = k_2 \left( \frac{\tau_{*pool}}{\tau_{*_c}} - 1 \right)^{1.5}.$$
 (30)

For cases where  $\tau_{*pool} < \tau_{*cr}$  there is no sediment entrainment and  $c_b = 0$ . For very high transport stages  $c_b$  can grow to unreasonable values and it is appropriate to apply a limit [e.g., *Garcia and Parker*, 1991]; here we set a maximum value of  $c_b = 0.2$ .  $k_2$  in equation (30) is an empirical parameter which varies in existing literature. *Van Rijn* [1984] suggests that  $k_2$  is a function of grain size and ranges from  $\sim 10^{-4} < k_2 < \sim 10^{-2}$ . Rearranging standard bed load transport models [e.g., *Fernandez Luque and van Beek*, 1976] to yield estimates of nearbed sediment concentration gives  $\sim 10^{-3} < k_2 < \sim 10^{-1}$  depending on flow conditions. We set  $k_2 = 0.02$ , which is within these previous estimates and provides a good match to our experimental data (section 6).

Figure 3 shows profiles of sediment concentration along the pool floor and walls normalized by near-bed concentration for an example waterfall plunge pool. Note that  $\overline{c(r, z_{mixed})}/c_b$  is set to be unity for  $r < \delta$ ; this area represents well-mixed sediment within the jet-descending region.  $\overline{c(r_{pool}, z)}/c_b$  is also constant for  $z < z_{mixed}$  due to our assumption of well-mixed sediment near the plunge-pool floor. The combination of decay of sediment concentration with increasing radial and vertical distance from the point of jet impingement results in the plunge-pool lip having the lowest sediment concentration.

#### 3.4. Plunge-Pool Sediment-Transport Capacity

For alluvial-floored pools, we define plunge-pool sediment-transport capacity ( $Q_{sc_pool}$ ) as the flux of sediment transported out of the plunge pool to the river reach immediately downstream and calculate  $Q_{sc_pool}$  as the product of water discharge ( $Q_w$ ) and the average sediment concentration at the downstream plunge-pool lip, i.e.,

$$Q_{\text{sc_pool}} = \frac{Q_w}{\left(z_{\text{water}} - z_{\text{lip}}\right)} \int_{z=z_{\text{lip}}}^{z=z_{\text{water}}} \overline{c(r_{\text{pool}}, z)} dz.$$
(31)

For plunge pools that have large depths relative to the tailwater depth, equation (31) can be approximated by

$$Q_{\rm sc_pool} = Q_{\rm w} c(r_{\rm pool}, z_{\rm lip}). \tag{32}$$



**Figure 3.** Profiles of (a) radial and (b) vertical sediment concentration normalized by near-bed concentration in the jet-descending region ( $c_b$ ). Figure 3a depicts normalized sediment concentration near the plunge-pool floor at  $z = z_{mixed}$ , and Figure 3b shows normalized sediment concentration along the plunge-pool wall at  $r = r_{pool}$ . Parameters for this calculation based on Lower Switzer Falls, Arroyo Seco, California (LSF, Table S1); water discharge of 4.8 m<sup>3</sup>/s, waterfall drop height of 5 m, grain size of 0.1 m, plunge-pool radius ( $r_{pool}$ ) of 4.4 m, and upstream normal Froude of 1.9.  $\delta$  = radius of jet-descending region;  $z_{mixed}$  = elevation of the top of the well-mixed layer near the pool floor.

Our model indicates that the plunge-pool sediment-transport capacity,  $Q_{sc_pool}$ , can be calculated from seven field-measurable variables ( $Q_{wr}$ ,  $r_{pool}$ ,  $h_{poolr}$ , D,  $H_{dropr}$ , S, and W) and 13 constants ( $C_{f_river}$ ,  $C_{f_poolr}$ ,  $C_{dr}$ ,  $a_1$ ,  $a_2$ , g,  $k_1$ ,  $k_2$ ,  $\gamma$ , v,  $\pi$ ,  $\rho$ , and  $\rho_s$ ) from equations (7) through (11), (13), (14), (16), and (27) through (31). Due to the exponential and modified Bessel function terms in equation (27),  $Q_{sc_pool}$  only goes to zero in the limit when z or r go to infinity, or when  $c_b = 0$ . Following standard practice for bed load transport threshold of motion, we set  $Q_{sc_pool} = 0$  when sediment flux falls below a dimensionless reference level ( $Q_{sc_pool} = 0$  for  $Q_{*s_pool} < 2 \times 10^{-5}$ , where  $Q_{*s_pool} = Q_{sc_pool}/(2r_{pool}RgD^3)^{1/2}$  is the dimensionless sediment flux) [e.g., *Parker et al.*, 1982].

#### 3.5. Nondimensionalization

Inspection of equations (27), (30), and (32) shows that dimensionless plunge-pool sediment-transport capacity,  $Q_{sc pool}/Q_{w}$ , can be predicted from four nondimensional variables

$$\frac{Q_{\text{sc_pool}}}{Q_{\text{w}}} = \overline{c(r_{\text{pool}}, z_{\text{lip}})} = f\left(\frac{\tau_{\text{*pool}}}{\tau_{\text{*}_{c}}}, \frac{(z_{\text{lip}} - z_{\text{mixed}})}{L_{d}}, \frac{r_{\text{pool}}}{L_{d}}, \frac{\delta}{L_{d}}\right).$$
(33)

 $\tau_{*pool}/\tau_{*c}$  is the plunge-pool transport stage. Entrainment of sediment from the plunge-pool floor only occurs when  $\tau_{*pool}/\tau_{*c} > 1$ ; however, unlike standard low-gradient river bed load transport models [e.g., *Meyer-Peter* and *Mueller*, 1948],  $\tau_{*pool}/\tau_{*c} > 1$  is a necessary but insufficient condition for  $Q_{sc_{pool}} > 0$ . This is because sediment transport out of the waterfall plunge pool requires both entrainment of particles from the plunge-pool floor and suspension of particles over the plunge-pool lip.

Suspension of sediment out of the plunge pool is governed by the remaining three nondimensional terms in equation (33). The term  $(z_{lip} - z_{mixed})/L_d$ , which is approximately equal to  $h_{pool}/L_d$  for deep pools, governs the vertical distribution of sediment concentration, such that when  $L_d$  is large relative to  $(z_{lip} - z_{mixed})$  sediment is efficiently mixed in the vertical direction, resulting in higher sediment concentrations at the top of the plunge pool, and larger sediment transport capacities. Both  $r_{pool}/L_d$  and  $\delta/L_d$  characterize the radial distribution of sediment concentration but work in opposite ways. Large values of  $r_{pool}$  relative to  $L_d$  indicate that the plunge pool is wide compared to the turbulent mixing length scale, resulting in lower sediment concentrations at the pool walls and smaller  $Q_{sc_pool}$ . In contrast, large values of  $\delta$  relative to  $L_d$  indicate that the size of the jet-descending region, from which the jet entrains sediment, is the dominant scale influencing lateral sediment concentration, resulting in increased sediment concentration and transport capacity.  $(z_{lip} - z_{mixed})/L_d$ ,  $r_{pool}/L_d$ , and  $\delta/L_d$  are all functions of the same 7 independent variables and 13 constants specified in section 3.4.

#### 3.6. Equilibrium Pool Depth

Finally, while equations (31) and (32) allow us to predict the sediment-transport capacity for a given pool depth (without any assumption of steady state), it can also be used to predict the steady-state pool depth for a given



**Figure 4.** Comparison of range of nondimensional variables influencing plunge-pool sediment-transport capacity from flume measurements (gray boxes, Table S2) versus field measurements (white boxes, Table S1). Note that field values of nondimensional variables were calculated using the median grain diameter deposited within the plunge pool and we set  $C_{f_{river}} = 0.01$  [*Parker*, 2008]. Nondimensional variables:  $\tau_{rpool}/\tau_{rc} =$  plunge-pool transport stage,  $(z_{lip} - z_{mixed})/L_d =$  approximate plunge-pool depth (for deep pools) normalized by turbulent mixing length scale,  $\delta/L_d =$  plenge-pool radius normalized by turbulent mixing length scale,  $\delta/L_d =$  jet-descending region radius normalized by turbulent transport capacity normalized by water discharge.

sediment supply. To make this later prediction, we use sediment mass balance and assume a steady-state pool depth by setting  $Q_{sc_pool}$  equal to the upstream sediment supply and iteratively solve the model to find the equilibrium pool depth. If the predicted equilibrium pool depth is deeper than the bedrock pool floor, the pool should be free of sediment cover with the bedrock floor exposed.

#### 4. Surveys of Natural Waterfalls

To help design the parameter space that will be explored experimentally, we compiled data from a number of waterfalls and estimated the ranges for the dimensionless variables in equation (33). Our field survey focused on waterfalls within the San Gabriel Mountains, California, and also included waterfalls in the Sierra Nevada, California, and on the island of Kauai, Hawaii. These three field localities cover a range of sediment supply regimes, where sediment supply is high in the San Gabriel Mountains due to high erosion

rates (~0.1–1 mm/yr [*DiBiase et al.*, 2010]) and frequent wildfires [e.g., *Lamb et al.*, 2011]. In contrast, a strong rainfall gradient creates variable sediment supply across the waterfalls we surveyed in Kauai [*Ferrier et al.*, 2013], and sediment supply is likely low in the Sierra Nevada due to erosion rates which are approximately 1–2 orders of magnitude lower (~0.02 mm/yr) than that observed in the San Gabriel Mountains [e.g., *Stock et al.*, 2005]. All surveyed waterfalls had clearly defined bedrock steps and ranged in drop height from 1 to 120 m, in plunge-pool bedrock radius from 0.5 to 40 m, and had upstream drainage areas ranging from < 1 to 94 km<sup>2</sup> (Table S1).

We surveyed pools during periods of low flow as waterfalls are often inaccessible and hazardous to survey during large flood events. The vast majority of surveyed pools were filled or partially filled with sediment during our field campaign, with pool depths ranging from 0 m (i.e., completely filled with sediment) to 5 m. For consistency with our theory developed above and our experimental measurements below, field pool depth was defined as the vertical distance between the downstream plunge-pool lip and the pool floor (i.e.,  $h_{pool} = z_{lip} - z_{sed}$ ). We estimated plunge-pool depth using a variety of methods (see supporting information S1 and Table S1). Grain size was estimated visually in the field or via a random-walk Wolman pebble count (comprising 50 to 100 grains and ignoring grains with D < 2 mm). Channel slope upstream of the waterfall was taken from digital elevation models ranging in resolution from 1 m lidar (most of the San Gabriel Mountain locations) to 10 m National Elevation Dataset data. We estimated water discharge using 2 year recurrence interval discharge values taken from U.S. Geological Survey stream gages located either within the same catchment as our field surveyed waterfall or within an adjacent catchment. We assumed a linear scaling between discharge and drainage area to convert discharge values taken at stream gage locations to waterfall locations. The range in dimensionless variables that emerge from our theory is given in Figure 4.

#### 5. Experimental Methods

#### 5.1. Experiment Design and Scaling

We designed laboratory flume experiments in order to test the quantitative predictions of our plunge-pool sediment-transport capacity model. We systematically and independently varied waterfall drop height, water discharge, grain size, and plunge-pool radius in order to observe their effects on plunge-pool sediment



**Figure 5.** (a) Flume schematic with key variables labeled (D = grain size,  $H_{drop}$  = waterfall drop height,  $r_{pool}$  = plunge-pool radius,  $Q_s$  = sediment supply,  $Q_w$  = water discharge,  $z_{sed}$  = elevation of plunge-pool alluvial floor, and  $z_{water}$  = elevation of plunge-pool water surface). (b) Example photo of sediment transport through a waterfall plunge pool during experiment 12 (Table S2). Plunge pool is 10.2 cm in diameter, and yellow tape is marked in centimeter increments for scale.

transport capacity and pool depth. We attempted to achieve dynamic similarity with natural waterfalls by keeping flow Froude supercritical and in the fully turbulent regime [*Lamb et al.*, 2015]. Flow Reynolds numbers for our experiments varied between ~4000 and 5000 at the upstream waterfall brink, and particle Reynolds numbers ranged from ~1000 to 4000 depending on flow discharge and grain size. Froude numbers at the waterfall brink ranged from ~1.5 to 2, similar to what is expected for mountain rivers during floods [e.g., *Tinker and Wohl*, 1998; *Valle and Pasternack*, 2006].

Over 10 experimental sets, we produced 50 different pools with different steady-state pool depths, each with a unique combination of dimensional variables (Table S2). Ideally, we would design experiments to vary a single parameter in nondimensional space; however, the transient self-adjustment of plunge-pool depth to reach a new equilibrium in response to changing sediment supply made this logistically challenging as all our nondimensional parameters (i.e., equation (33)) are functions of pool depth. Instead, we designed experiments so that the range of dimensionless variables explored overlapped in nondimensional space with our measurements from natural waterfalls (Figure 4 and Table S1). Although our experimental waterfalls are smaller than natural waterfalls, the overlap in nondimensional space should allow the dynamics in the experiments to be comparable to those in natural waterfalls [e.g., *Lamb et al.*, 2015].

#### 5.2. Experiment Setup and Methods

Our experimental setup (Figure 5) consisted of a 9.6 cm wide and 2.06 m long upstream flume with a fixed rough bed of 2.4 mm subrounded quartz grains. The upstream flume was raised and cantilevered over a downstream flume (24 cm wide by 80 cm long) forming a waterfall where a fully ventilated jet cascaded off the upstream flume and into a plunge pool positioned within the downstream flume. Water and sediment spilled out from the plunge pool and eventually into a tailbox from which a pump drew water to supply upstream. We designed our experiments to explore plunge-pool dynamics without complications from the downstream river sediment-transport capacity (e.g., the formation of bars or ridges at the downstream plunge-pool lip [e.g., *Pagliara et al.*, 2008b]); thus, sediment transported out of the plunge pool was immediately evacuated from the system. A pipe flow meter (with accuracy  $\pm$  1.5%) measured water discharge, and we confirmed measurements by weighing the mass of water discharge collected in a bucket over 10 to 30 s increments. A rotating auger fed sediment from a hopper into the system immediately upstream of the waterfall brink, allowing sediment supply to be controlled independent of the upstream hydrodynamics (Figure 5). We calibrated the auger feed rate by placing a mesh-bottomed bucket in the waterfall jet and weighing the mass of drained sediment collected over 60 s increments.

Unlike previous experiments which developed scour holes into loose sediment beds [Stein and Julien, 1993; Lenzi and Comiti, 2003; Pagliara et al., 2006], we used clear, cylindrical PVC tubes ranging from ~10 to 20 cm

diameter as artificial plunge pools (Figure 5b). These rigid pipes simulated vertical bedrock-walled plunge pools, allowed for fluctuating levels of pool depths (e.g., Figures 1 and 2), and were sufficiently deep so that the alluvial floor was free to self-adjust without hitting the pipe bottom. We placed these smooth-walled tubes within the downstream flume and aligned the pipes so that the waterfall jet impacted the center of the tube. The angle of jet impact on the plunge-pool surface was dictated by the water discharge and waterfall drop height and was typically at angles of ~80° relative to horizontal; we back-tilted the PVC tubes by ~10° to force impingement perpendicular to the plunge-pool walls. We also affixed 10° wedges to the top of the tubes larger than 15 cm in diameter so that, despite back tilting, plunge-pool tops remained approximately horizontal.

We inferred plunge-pool sediment-transport capacity by feeding sediment at a known rate from upstream and allowing the pool to transiently adjust its depth until reaching a steady state where sediment supply into the pool equaled sediment flux out. Therefore, by mass balance, the imposed upstream sediment supply was equal to the plunge-pool sediment-transport capacity for the given experimental conditions. Each experimental set began with a plunge pool filled with well sorted sediment and water. Imposing clear-water discharge caused the pool to transiently scour until reaching a steady-state depth where sediment no longer left the pool. After recording this depth, a small stepwise increase in sediment flux from upstream was imposed, which forced transient aggradation of the pool to a new steady-state depth. Steady-state pool depths following changes in imposed sediment flux were typically reached in < 1 min, and we waited until pool depths were constant over a period of ~5-10 min (~10-15 min total wait time) before changing the imposed sediment flux. We repeated this process with subsequent increases in sediment flux until the pool either filled to its lip with sediment or the feeder's maximum sediment flux was reached. For each steadystate pool depth, we measured the maximum, minimum, and average depth to the sediment bed by eye using a ruler; we use the difference between the maximum and minimum depths as a representation of uncertainty and measured pool depth as  $h_{\text{pool}} = z_{\text{lip}} - z_{\text{sed}}$  for consistency with our theory and field measurements. We made pool depth measurements while the experiment was running (i.e., the dynamic depth (in the sense of Pagliara et al. [2006])) to prevent sediment suspended in the water column from settling onto the bed which would result in artificially shallow pool depths. At the end of the experimental set, we returned to clear-water discharge to confirm that the pool depth returned to the original equilibrium clear-water depth observed at the start.

#### 6. Experimental and Theoretical Results

#### 6.1. Sediment Transport Observations

For a typical experimental set, plunge pools that were initially filled with sediment rapidly scoured to deeper depths after turning on clear-water discharge. The rate of plunge-pool scour decreased as pools deepened and approached a steady-state depth. At steady state with clear-water discharge, sediment was mobilized from the bed but not suspended high enough to be transported over the plunge-pool walls.

Plunge-pool sediment transport occurred primarily via suspension of grains whereby the impinging jet created a small scour hole in the sediment bed from which grains were initially entrained. Scour holes were characterized by steep walls which acted as ramps, and mobilized grains would roll or saltate a short distance up this ramp before becoming suspended in the return flow of the jet (Figure 5b and Movie S1). Suspended grains were typically concentrated on the downstream side of the waterfall jet but were observed throughout the plunge pool. Grains were suspended in a mixture of water and air (with air entrained by the impinging jet) and were brought to the top of the water column and transported out of the pool as water spilled over the pool walls. Both the rate of sediment entrainment and the vigor with which the water, air, and sediment mixture boiled over the plunge-pool walls appeared to fluctuate over timescales of seconds, reflecting macroturbulence within the pool.

As increases in sediment supply forced plunge pools to aggrade to increasingly shallow equilibrium depths, the concentration of sediment in the water column and vigor with which grains were suspended visually increased and an active layer of sediment transport developed near the plunge-pool floor. This active layer visually was approximately five grain diameters thick and was defined by a zone of highly concentrated mobile grains below a more dilute layer. When pools aggraded within ~5 cm of the plunge-pool lip, the sediment bed appeared fluidized.

#### 6.2. Influence of Sediment Supply and Pool Depth

In all our experiments, we observed plunge pools to transiently aggrade in response to stepwise increases in imposed sediment supply, with all other parameters held constant, until a new equilibrium pool depth was reached (Figure 6 and Table S2). The magnitude of pool aggradation between equilibrium depths was typically greatest when switching from clear-water discharge to a small sediment supply, with subsequent sediment supply increases resulting in moderate aggradation to reach a new equilibrium depth. An exception to this was for very shallow pools which had rapid, transient aggradation when depths were less than ~ 5 cm (e.g., Exp 9, Figure 6c). For all experiments, plunge-pool equilibrium depth under clear-water flow was the same at the start and end of the experiment set within measurement error. These results are consistent with our conceptual model in that, when all else is held constant, the pool depth adjusts to bring the sediment-transport capacity into equilibrium with the imposed sediment load, after which no aggradation occurs. Thus, these results implicitly show that, all else held constant, shallower pools at steady state have a higher sediment-transport capacity than deeper pools.

Our plunge-pool sediment-transport capacity model shows variability in its goodness of fit to the experimental data when setting the constant  $k_2 = 0.02$  (solid lines in Figure 6). In all cases, the model predicts that sediment-transport capacity increases with decreasing equilibrium plunge-pool depth when all else is held constant, in agreement with our experiments. The relationship between equilibrium pool depth and sediment-transport capacity in the model is controlled by two main factors. First, sediment transport out of deeper pools requires grains to be suspended higher in the water column, resulting in reduced sediment concentration at the plunge-pool lip and, in turn, reduced values of  $Q_{sc_pool}$ . Second, within the ZOEF,  $\tau_{pool}$  decreases with increasing pool depth, which in turn reduces both the entrainment of sediment from the pool floor (lower  $c_b$ ) and the efficiency of turbulent mixing (smaller  $L_d$ ). This second influence does not exist when  $z_{sed} > z_{\lambda}$  because  $\tau_{pool}$  is independent of pool depth in this regime (equation (7)), resulting in increased sensitivity between sediment supply and equilibrium pool depth (this transition,  $z_{sed} = z_{\lambda}$ , is marked by red stars in Figure 6).

#### 6.3. Influence of Water Discharge, Waterfall Drop Height, and Grain Size

We explored the influence of changing waterfall drop height, water discharge, and grain size on pool depth by varying one of these parameters while holding all other variables constant. For the same imposed sediment load, plunge pools with greater water discharges in our experiments always had deeper equilibrium depths than those with smaller discharges (Figure 6a). Similarly, greater waterfall drop heights (Figure 6b) and finer grain sizes (Figure 6c) always led to deeper pool depths at equilibrium, all else held constant. Because these measurements were made for equilibrium pool depths, where sediment supply was equal to sediment-transport capacity, comparing experiments that produced the same equilibrium pool depths but under different sediment supply rates allows one to infer the controls on sediment-transport capacity. In this way, Figure 6 shows that for a given equilibrium pool depth, and all else held constant (except sediment supply), plunge-pool sediment-transport capacity increases with increasing waterfall drop height, increasing water discharge and decreasing grain size. While the theoretical predictions show variable success in matching sediment-transport capacity observations (17 of 40 theoretical predictions agree with experimental observations within measurement error in Figures 6a–6c), the theory does capture the experimental data trends.

Increases in water discharge and waterfall drop height both increase the total energy that is delivered to the plunge pool; however, changes in water discharge and drop height have distinct effects within our theoretical framework. All else being equal, increases in water discharge lead to nonlinear increases in  $Q_{sc_pool}$  in our model for three reasons. First, because  $Q_{sc_pool}$  is calculated as the product of sediment concentration at the plunge-pool lip and water discharge (equation (31)), increasing  $Q_w$  results in a direct increase in  $Q_{sc_pool}$  even for cases of constant sediment concentration. Second,  $w_{up}$  increases with water discharge due to both increased water flux and larger waterfall jet radii (which force the return flow through a smaller annulus) (equation (14)), resulting in reduced net particle settling velocities and higher sediment concentrations at the plunge-pool lip. Third,  $\tau_{pool}$  increases with water discharge, which acts to increase both sediment entrainment ( $c_b$ ) and turbulent mixing ( $L_d$ ).



**Figure 6.** Experimental results (symbols) and model predictions (lines) for plunge-pool depth,  $h_{pool}$ , measured during equilibrium transport (where, due to steadystate pool depth conditions, the plunge-pool sediment-transport capacity,  $Q_{sc_pool}$ , is necessarily equal to the sediment supply by mass balance) for experiments varying (a) water discharge ( $Q_w$ ), (b) waterfall drop height ( $H_{drop}$ ), (c) grain size (D), (d) plunge-pool radius ( $r_{pool}$ ) with 7 mm diameter sediment, and (e) plunge-pool radius with 2.4 mm diameter sediment, with all other dimensional variables held constant. Gray lines are predictions that correspond to the data represented by grayfilled markers; black lines correspond to black-filled markers, and dashed lines correspond to white-filled markers. See Table S2 for all experimental parameter values and results. Vertical error bars reflect topographic variability across the plunge-pool floor, and horizontal error bars show standard deviation of sediment supply measurements. Red stars indicate transition from ZOEF (above red star) to ZOFE (below red star). We classified the plunge pools with depths of ~ 0–5 cm as filled (gray box); we make no model predictions at these depths where we observed a change in process from grain suspension to fluidization of the bed (see section 6.1 for details). Unlike increasing water discharge, which causes wider waterfall jets and larger  $w_{up}$  values, increasing  $H_{drop}$  causes waterfall jets to narrow and  $w_{up}$  to decrease (equations (4), (5), and (14)). Despite this effect, plunge-pool sediment-transport capacity still increases with waterfall drop height in our model framework due to the increase in waterfall jet velocity with  $H_{drop}$  (equation (5)). Higher jet velocity increases  $\tau_{pool}$ , leading to enhanced sediment entrainment and increased turbulent mixing.

Increases in grain size decrease plunge-pool sediment-transport capacity in our model when all else is held constant due to the decrease in transport stage and increase in particle settling velocity. Because  $\tau_{pool}$  is independent of grain size, the decrease in transport stage with grain size lowers  $c_b$ , while the increased settling velocity for large particles lowers  $L_d$ , leading to reduced sediment concentrations throughout the plunge pool.

#### 6.4. Influence of Plunge-Pool Radius

The influence of plunge-pool radius on sediment-transport capacity is not as straightforward in our experiments compared to changing  $Q_{w}$ ,  $H_{drop}$ , and D (Figures 6d and 6e). For experiments with D = 7 mm grains, plunge pools with  $r_{pool} = 7.7$  cm were completely filled with sediment, even at equilibrium for clear-water discharge, while narrower ( $r_{pool} = 5.1$  cm) pools had equilibrium depths which shallowed with increasing sediment supply, all else held constant. This trend is in agreement with our theory where, for a given pool depth, decreasing plunge-pool radius leads to higher sediment-transport capacity, while for a given sediment supply, decreasing plunge-pool radius leads to a deeper equilibrium pool depth (Figure 6d). However, when using finer sediment (D = 2.4 mm), plunge pools of different radii had approximately the same equilibrium pool depths (within measurement error) for identical forcing (with the exception of at the largest sediment fluxes when small differences in pool depth emerged), in contrast to our model predictions that, for a given pool depth, sediment-transport capacity should increase with decreasing  $r_{pool}$  (Figure 6e).

Increases in plunge-pool radius result in a reduction of  $Q_{sc_pool}$  in our model when all other parameters are held constant for two reasons. First, increasing radius causes a decrease in sediment concentration at the plunge-pool lip as there is a longer length scale over which sediment must be transported (e.g., Figure 3). Second, for a constant water discharge and jet diameter, increases in plunge-pool radius reduce  $w_{up}$ , thereby enhancing the influence of particle gravitational settling (lowering  $L_d$ ) and reducing sediment concentrations in the plunge pool.

#### 6.5. Influence of Froude Number

Although not explored experimentally, our model predicts plunge-pool sediment-transport capacity is independent of  $Fr_n$  for subcritical flows ( $Fr_n < 1$ ), as flow acceleration toward the waterfall brink results in a constant value of  $u_{\text{brink}}$  [*Rouse*, 1936, 1937b; *Hager*, 1983; *Lapotre and Lamb*, 2015] for  $Fr_n < 1$ . For supercritical flows ( $Fr_n > 1$ ), increasing  $Fr_n$  gives increasing  $u_{\text{brink}}$  which raise  $\tau_{\text{pool}}$  (equation (7)), ultimately leading to increases in  $Q_{\text{sc_pool}}$  when all else is held constant; however, this effect is small compared to the influence of changing water discharge, waterfall drop height, grain size, pool depth, and pool radius examined above.  $Fr_n$  may also play an additional role for 2-D waterfalls because of lateral flow convergence [*Lapotre and Lamb*, 2015].

#### 6.6. Comparison to Previous Models and Overall Model Performance

There exist no previously published models capable of predicting waterfall plunge-pool sediment-transport capacity subject to sediment supply from upstream; however, there are multiple theories which predict equilibrium pool depth under clear-water flow. Theoretical models often assume equilibrium clear-water pool depth is set by the threshold of motion for sediment [e.g., *Stein et al.*, 1993]. Calculating expected equilibrium clear-water depths by solving for the pool depth where  $\tau_{*pool} = \tau_{*c}$  using equations (7a) and (7b) and setting  $\tau_{*c} = 0.045$  overpredicts our observed steady-state depths by a factor of ~1.5 to 4 (Figure 7a). Using larger values of  $\tau_{*c}$  can produce a better prediction. However, the hypothesis that clear-water scour depths are set by  $\tau_{*c}$  is not supported by our observations of actively mobile bed sediment even when plunge pools reached steady-state depths under clear-water flow. Instead, steady-state pool depths are set by the jet's ability to suspend sediment and transport it up and out of the pool, rather than by the threshold of motion.

Comparing our clear-water results with predictions of steady-state pool depth from the empirical models of *Mason and Arumugam* [1985] and *Pagliara et al.* [2006] produced mixed results with the *Mason and Arumugam* [1985] model underpredicting equilibrium depths by up to a factor of ~2.5 (Figure 7b), while the *Pagliara et al.* [2006] model overpredicts equilibrium depths by up to a factor of ~2 (Figure 7c). This discrepancy may be due to the design of these models to predict scour depth of pools in loose



**Figure 7.** Comparison of pool depth,  $h_{pool}$ , measured at equilibrium from our experiments with theory-predicted equilibrium depth using (a) threshold of motion, (b) *Mason and Arumugam* [1985], (c) *Pagliara et al.* [2006], and (d) this study. Error bars in Figure 7d denote topographic variability of pool alluvial floors; identical error bars apply to Figures 7a–7c but were removed for clarity. We calculate tailwater depth above the plunge-pool lip assuming Fr = 1 for both the *Pagliara et al.* [2006] and *Mason and Arumugam* [1985] predictions. The *Pagliara et al.* [2006] model also requires an estimate of jet air content which we did not measure in our experiments and set to 0.5. Shaded gray box in all panels marks measured depths less than 5 cm where we observed filled plunge pools with fluidized beds.

sediment with self-formed walls in contrast to our experiments with fixed, vertical walls. Additionally, the *Mason and Arumugam* [1985] model is calibrated using cohesive soils in contrast to the noncohesive sediment in our experiments.

Our model also tends to over predict equilibrium clear-water pool depths by up to a factor ~2 (Figure 7d). For clear-water cases, our model results are sensitive to the choice of reference sediment flux,  $Q_{*s_pool}$ , below which we set sediment transport to zero (e.g.,  $Q_{sc_pool} = 0$  for  $Q_{*s_pool} < 2 \times 10^{-5}$ , section 3.4). Using a larger value of  $Q_{*s_pool}$  would result in a better prediction for the clear-water experiments, but at the expense of the goodness of fit with the sediment feed experiments.

Unlike previous models [e.g., *Mason and Arumugam*, 1985; *Stein et al.*, 1993; *Pagliara et al.*, 2006], our new theory explicitly accounts for upstream sediment supply. For the sediment feed experiments, our model agrees with the data for 37 of our 40 measurements within a factor of 1.5, and 17 of 40 measurements match predictions within measurement error ( $R^2 = 0.8$  when comparing to the 1:1 line in Figure 7d). Predictions of plunge-pool sediment-transport capacity have increased variability compared to steady-state pool depth predictions due to the nonlinear relationship between  $Q_{sc_pool}$  and equilibrium pool depth (Figure 6). As such, our order centimeter-scale measurement error in equilibrium pool depth results in approximately order of magnitude variability in predictions of sediment-transport capacity.

#### 7. Discussion

#### 7.1. Limitations of the Model

Our plunge-pool sediment-transport capacity model has variable success in matching the experimentally observed values of plunge-pool steady-state depth. Misfits might occur due to incorrect parameterizations

of constants within our model (e.g.,  $k_2$ ,  $C_{f_pool}$ , and  $v_e$ ) or due to the lack of inclusion of physical processes within our model framework. We explored the effect of changing the sediment entrainment coefficient,  $k_2$ , the coefficient  $k_1$  (which determines the eddy viscosity,  $v_e$ ), and the plunge-pool friction factor,  $C_{f_pool}$ . Increases in  $k_2$ ,  $C_{f_pool}$ , and  $v_e$  all lead to predictions of higher sediment-transport capacity or deeper equilibrium pool depths, all else held constant. While changing these coefficients can lead to better predictions for a single experimental set, they cause predictions to worsen for other experimental sets and do not collapse the data overall. This suggests that discrepancies between the model predictions and experimental observations likely come from physical processes present within plunge pools which are not incorporated within our model.

Our experiments (section 6.1) highlight many physical processes that are not included in our simplified theory. For example, as plunge pools transiently aggraded to shallow pool depths ( $h_{pool} < \sim 5$  cm), we observed a change in process where the bed became fluidized, likely changing entrainment mechanics and the effective fluid density and viscosity in that region. This process promotes shallower pools than predicted (e.g., Exp 9 and Exp 10, Figure 6d). Similarly, we observed grain-grain interactions within the near-bed active layer and at times between grains suspended in the water column in our experiments (Movie S1). These grain-grain interactions are not accounted for in our model, in which we assume dilute suspension of grains, but could result in significant bed load transport in very shallow pools or yield lower net settling velocities [e.g., *Richardson and Zaki*, 1954] in deeper pools.

Our experimental plunge pools had complex hydraulics where eddies of various scales caused the flow to overturn, sediment transport to occur in pulses, and sediment to concentrate at the downstream pool wall (Figure 5b and Movie S1). These processes may violate our assumptions of axisymmetric flow, a constant eddy viscosity in the vertical and radial directions, and constant  $w_{up}$  within the jet return-flow region. While these assumption are necessary to achieve an analytical solution, eddy viscosities are typically parametrized to vary with distance from a boundary in shear flows [e.g., *Prandtl*, 1925; *Rouse*, 1937a], and the upward return flow is likely spatially variable [e.g., *Robinson et al.*, 2000; *Bennett and Alonso*, 2005].

Our experiments had a small degree of aeration within the waterfall jet, and the impinging jet further entrained air into the plunge pool (e.g., Figure 5b and Movie S1). Air entrainment in steps and waterfalls is common [e.g., *Valle and Pasternack*, 2006]; however, the relationship between plunge-pool depth and aeration is complicated, and it is unclear how to incorporate aeration into the model at present. For example, experiments have shown jet aeration typically leads to a reduction in equilibrium pool depth [e.g., *Canepa and Hager*, 2003; *Xu et al.*, 2004; *Pagliara et al.*, 2006], although aeration has also been suggested to more efficiently allow plucking of bedrock blocks which could increase pool depths [*Bollaert*, 2002; *Bollaert and Schleiss*, 2003].

The extent to which the effects missing from our model (i.e., bed fluidization, grain-grain interactions, complex flow hydraulics, and aeration) influence sediment transport may also depend on the particle grain size. For example, large grains with high gravitational settling velocities and small advection lengths may be more sensitive to local flow dynamics than small grains [*Ganti et al.*, 2014]. This may be a possible explanation for our experimental observations of sediment-transport capacity being insensitive to plunge-pool radius for D = 2.4 mm compared to decreasing sediment-transport capacity with increasing radius for D = 7 mm grains (Figures 6d and 6e). If this is correct, replicate experiments with narrower plunge pools and coarse grain sizes may be expected to show no variation in sediment-transport capacity with pool radius, as the larger jet return flow velocity at small pipe diameters could cause particle advection length scales to approach the plunge-pool radius. We attempted experiments like these (not reported); however, experiments with  $r_{pool} < 5.2$  cm are difficult as the plunge-pool diameter approaches that of waterfall jet, which violates central assumptions in our model.

#### 7.2. Application to Natural Waterfalls

With the experimentally tested model for plunge-pool sediment transport in hand, we now return to the field cases that motivated this study and were used to define the parameter space explored in the experiments (section 4). Our field surveys allow comparison of measured plunge-pool depths to the expected equilibrium depths from both clear-water theories [e.g., *Pagliara et al.*, 2006] and our sediment transport theory. Surveyed plunge pools are ~3–300 times shallower than predicted for clear-water overspill during a 2 year recurrence



**Figure 8.** Comparison of field-measured plunge-pool depth (Table S1 and see supporting information S1 for field methods) versus predictions for pool depth ( $h_{pool}$ ) at equilibrium assuming no sediment supply for 2 year recurrence interval floods using (a) *Pagliara et al.* [2006] and (b) theory developed herein. Points below the 1:1 line represent pools shallower than predicted for clear-water flow. Points in Figure 8b are color-coded by the upstream sediment concentrations ( $Q_{sc_pool}/Q_w$ ) needed to fit the observed pool depth at steady state, indicating that greater departure from the 1:1 line (i.e., partially alluviated and sediment-filled pools) requires higher sediment concentration from upstream to maintain a steady state depth. The circled point on the *y* axis in Figure 8b is a plunge pool which is predicted to be completely filled with sediment under clear-water discharge. All model calculations used the grain size of sediment measured in the plunge pool. For predictions in Figure 8a, we assumed a jet air content of 0.5.

interval flood using the approach of *Pagliara et al.* [2006] (Figure 8a). *Pagliara et al.* [2006] assume both clearwater discharge and self-formed pool walls, neither of which are likely for natural, bedrock-walled plunge pools. Additionally, most surveyed pools are shallower than predicted at equilibrium under clear-water conditions using our theory (Figure 8b), suggesting that the discrepancy is likely due to sediment supply rather than plunge-pool geometry.

We used our model to calculate the expected steady-state sediment concentration  $(Q_{sc_pool}/Q_w)$  for a 2 year recurrence interval flood discharge that is necessary to fit the observed pool depths, assuming that they are at steady state (Figure 8b). Our analysis indicates that the observed pool depths can be explained by upstream sediment concentrations that range from less than a hundredth of a percent to greater than 10% by volume. The theory suggests that the shallower pools, if at equilibrium, are associated with rivers that deliver a greater sediment supply (Figure 8b). However, field measurements of pool depth can be sensitive to the magnitude and duration of clear water scour occurring on the rising and falling limb of hydrographs [*Buffington et al.*, 2002], and may reflect disequilibrium conditions.

#### 7.3. Implications for Habitat, Hazards, and Bedrock Erosion

While waterfall plunge pools typically have small volumes compared to total fluvial sediment flux over the course of a flood (such that storage of sediment in or scour from pools should not largely influence overall sediment budgets), the thickness of sediment fill has implications for habitat availability and natural hazards. Deep, sediment-free or partially-filled pools provide habitat for aquatic organisms [e.g., *Matthews et al.*, 1994; *Magoulick and Kobza*, 2003; *Bond et al.*, 2008] and sediment-filled pools provide conditions to initiate debris flows [e.g., *Griffiths et al.*, 2004; *Larsen et al.*, 2006]. The model developed here provides a first-order tool for land managers to estimate sediment filling and evacuation of waterfall plunge pools in response to changes in river hydraulics or upstream sediment supply. For cases where the upstream sediment supply ( $Q_s$ ) is known, our plunge-pool sediment-transport capacity model can be used to route sediment through plunge pools and track plunge-pool alluvial filling and evacuation, as sediment should be deposited in pools when  $Q_{sc_pool} < Q_{s}$ , sediment should pass through pools when  $Q_{sc_pool} = Q_{sr}$ , and sediment should be scoured from pools when  $Q_{sc_pool} > Q_s$ . Our plunge-pool sediment-transport capacity model also can be coupled with physically based bedrock erosion models [e.g., *Lamb et al.*, 2007] to predict waterfall plunge-pool bedrock abrasion over thousands of years. Over such timescales, cycles of sediment fill and evacuation from waterfall plunge pools should influence bedrock erosion as vertical incision requires exposure of the bedrock floor of the pool, while plunge-pool walls are free to erode even when the bed is covered with sediment. Thus, when  $Q_{sc_pool} > Q_s$ , pools can scour to bedrock and vertically incise, whereas when  $Q_{sc_pool} < Q_s$  sediment deposits at the base of the pool, armoring the bed, and preventing vertical incision (but potentially still allowing for lateral erosion), analogous to the role sediment cover plays in controlling bedrock channel width [e.g., *Sklar and Dietrich*, 2004; *Finnegan et al.*, 2007; *Turowski et al.*, 2008].

## 8. Conclusions

We developed an analytical model to predict the sediment-transport capacity for waterfall plunge pools based on seven field-measurable variables (water discharge, waterfall drop height, plunge-pool depth and radius, grain size, and upstream channel slope and width). The model is designed for bedrock-walled and alluvial-floored pools with cylindrical geometry where the alluvial fill is free to aggrade and degrade. The model predicts that plunge pools self-adjust their depth through erosion and deposition of sediment in response to the imposed sediment supply from upstream. Changes in pool depth, in turn, affect jet hydrodynamics and sediment flux out of the pool, and negative feedbacks exist that drive a pool toward a steadystate depth for a given waterfall geometry, sediment supply, and water discharge. Laboratory experiments largely confirm these predictions and show that, all else equal, plunge-pool sediment-transport capacity increases for shallower pools, greater water discharge, higher waterfall drop height, and smaller grain size. The theory matches most of the experimental data within a factor of ~1.5, and discrepancies may be due to 3-D flow hydraulics, grain-grain interactions, and jet aeration which are not accounted for in the model. Field surveys of 75 waterfall plunge pools show that many natural pools tend to be filled with sediment resulting in pools that are shallower than predicted at equilibrium for a 2 year recurrence flood with no sediment supply, thus suggesting that the upstream sediment supply plays an important role in reducing observed plunge-pool depths. The model presented here provides a framework for future applications including sediment routing, habitat availability, debris flow initiation, and bedrock erosion.

#### Notation

$A_{\rm jet}$	waterfall jet area (L <sup>2</sup> )
Apool	plunge-pool area (L <sup>2</sup> )
C <sub>d</sub>	waterfall jet diffusion coefficient (dimensionless)
$C_{f_{pool}}$	plunge-pool friction factor (dimensionless)
$C_{f_{river}}$	river friction factor (dimensionless)
D	grain diameter (L)
Fr <sub>n</sub>	normal Froude number upstream of the waterfall (dimensionless)
$H_{\rm drop}$	waterfall drop height (L)
L <sub>d</sub>	characteristic length scale over which turbulence mixes sediment (L)
Qs	upstream sediment supply (L/T <sup>3</sup> )
Q*s_pool	dimensionless plunge-pool sediment flux (dimensionless)
$Q_{\rm sc_pool}$	plunge-pool sediment-transport capacity (L/T <sup>3</sup> )
$Q_w$	water discharge (L/T <sup>3</sup> )
R	submerged sediment density (dimensionless)
S	channel slope (dimensionless)
W	channel width (L)
<i>a</i> <sub>1</sub>	constant used in calculated particle settling velocity (dimensionless)
<i>a</i> <sub>2</sub>	constant used in calculated particle settling velocity (dimensionless)
b(z)	jet half-width as a function of height above pool floor (L)
С	volumetric sediment concentration (dimensionless)
C	sediment concentration temporally averaged over turbulence (dimen

c sediment concentration temporally averaged over turbulence (dimensionless)
 c' turbulent fluctuations in sediment concentration (dimensionless)

- *c*<sub>b</sub> reference near-bed sediment concentration in jet-descending region (dimensionless)
- co reference near-bed sediment concentration at (rpool, zmixed) (dimensionless)
- g gravitational acceleration  $(L/T^2)$
- $h_n$  normal flow depth upstream of the waterfall (L)
- h<sub>pool</sub> plunge-pool depth (L)
  - $k_1$  coefficient in estimating eddy diffusivity (dimensionless)
  - $k_2$  constant in sediment entrainment formula (dimensionless)
  - r radial coordinate (L)
- $r_{jet}$  waterfall jet radius at point of impact with water surface (L)
- *r*<sub>pool</sub> plunge-pool radius (L)
  - t time (T)
- $u_{*pool}$  shear velocity at the plunge-pool bed (L/T)
- *u*<sub>brink</sub> water velocity at the waterfall brink (L/T)
- $u_{impact}$  jet velocity upon impact with the plunge-pool floor (L/T)
  - $u_{jet}$  jet velocity upon impact with the plunge-pool water surface (L/T)
  - $u_{\text{lip}}$  water velocity at the downstream plunge-pool lip (L/T)
  - $u_n$  normal water velocity upstream of the waterfall (L/T)
  - $u_r$  radial water velocity (L/T)
  - $u'_r$  turbulent fluctuations in radial water velocity (L/T)
  - $u_{\theta}$  azimuthal water velocity (L/T)
  - *w*<sub>net</sub> net particle settling velocity (L/T)
  - w<sub>s</sub> particle gravitational settling velocity (L/T)
  - $w_{up}$  vertical velocity of the jet return flow (L/T)
  - $w'_{up}$  turbulent fluctuations in vertical velocity of the jet return flow (L/T)
  - z vertical coordinate (L)
  - $z_{BR}$  elevation of the plunge-pool bedrock floor (L)
  - z<sub>lip</sub> elevation of the downstream plunge-pool lip (L)
- z<sub>mixed</sub> elevation of the top of well-mixed layer near the plunge-pool floor (L)
  - $z_{sed}$  elevation of the plunge-pool alluvial floor (L)
- z<sub>water</sub> elevation of the plunge-pool water surface (L)
  - $z_{\lambda}$  elevation of the boundary between the ZOEF and ZOFE (L)
  - $\beta$  angle of waterfall jet impact (rad)
  - $\gamma$  virtual origin in estimation of jet half-width (L)
  - $\delta$  radial distance which sets boundary between descending-flow and jet return-flow regions, equal to twice the jet half-width measured at the pool alluvial floor (L)
  - $\theta$  azimuthal coordinate (L)
  - $\lambda$  length of ZOFE (L)
  - *v* kinematic water viscosity  $(L^2/T)$
  - $v_e$  eddy diffusivity (L<sup>2</sup>/T)
  - $\rho$  fluid density (M/L<sup>3</sup>)
  - $\rho_s$  sediment density (M/L<sup>3</sup>)
- $\tau_{pool}$  plunge-pool bed shear stress (M L<sup>-1</sup> T<sup>-2</sup>)
- $\tau_{river}$  river bed shear stress (ML<sup>-1</sup>T<sup>-2</sup>)
  - $\tau_{*c}$  critical Shields stress for grain motion (dimensionless)
- $\tau_{*pool}$  plunge-pool bed Shields stress (dimensionless)

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### Supporting Information for

## Sediment transport through self-adjusting, bedrock-walled waterfall plunge pools

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## Additional Supporting Information (Files uploaded separately)

Tables S1 to S2 Movies S1 Zipped file containing MATLAB codes to calculate plunge-pool sediment-transport capacity

## Introduction

The supporting information for this manuscript includes our methods for making fieldmeasurements of waterfall plunge-pool depth, as well as two tables, a movie with caption, and MATLAB m-files to calculate plunge-pool sediment-transport capacity. Table S1 includes data from our field survey of waterfall plunge pools, Table S2 is data from waterfall plunge-pool sediment-transport capacity experiments. Movie S1 shows an example of sediment transport during one of our waterfall plunge-pool sediment-transport capacity experiments.

## Waterfall field-survey methods

During our field surveys we measured the depth of waterfall plunge pools using a variety of methods. All our field measurements were made at low to moderate water discharges when plunge pools were safe to survey and accessible. For the vast majority of plunge pools surveyed, we made manual measurements of the depth to the plunge-pool floor. Most plunge pools were alluviated during our surveys such that the majority of our pool depth measurements reflect the depth to the sediment floor (i.e.,  $h_{pool} = z_{lip} - z_{sed}$ ), but for some cases (as denoted in Table S1), bedrock was exposed on the pool floor such that depth measurements reflect the distance to bedrock (i.e.,  $h_{pool} = z_{lip} - z_{BR}$ ). In some cases the distinction between a sediment and bedrock floor was not denoted, and we make no distinction as to whether the reported pool depth is to sediment or bedrock floors. We

measured the vertical distance from the plunge-pool lip to the plunge-pool floor using either a stadia rod or plumb-bob attached to a tape measure.

Several plunge pools were completely filled with sediment (i.e.,  $z_{lip} - z_{sed} \approx 0$ ) and many were partially-filled during our field surveys. These shallow depths are likely a result of our surveying at low flow and perhaps additionally due to temporal variability in sediment supply (for example, many of our measurements in the San Gabriel Mountains, California occurred within 1-3 years of the 2009 Station Fire when sediment supply was likely elevated by up to an order of magnitude compared to background levels [Lamb et al., 2011]). To mitigate this effect, for 16 out of 75 of our surveyed plunge pools we report pre-existing data that reveal larger depths than obtained during our survey. This data came from three separate sources. For Wailua Falls, Hawaii ("WF" in Table S1) we use the depth measured by Doughty [2010] made while SCUBA diving in the plunge pool. For upper Ho'opi'i Falls, Hawaii (HFU, Table S1), 3 separate falls on Arroyo Seco, California (MSF, LSF, ASP4 in Table S1), and 1 waterfall on Fall Creek, California (FCR1, Table S1), we estimate the minimum plunge-pool depth as 2 m based on observations and accounts of cliff-jumping from heights > 2 m. Finally, many depthestimates of plunge pools within Little Santa Anita Canyon, CA, and one estimate from Fox Creek, CA, are unpublished data provided by Prof. Chris Brennen, California Institute of Technology, who assisted with field surveys. These data were collected by Prof. Brennen over many visits [Brennen, 2000], and the measurements should be treated as estimates with up to  $\sim$ 25% error. The measurement technique used for each surveyed plunge pool is denoted in Table S1.

## **Movie Captions**

**Movie S1.** Video of plunge-pool sediment transport during Experiment 12 (Table S2). Plunge pool is 10.2 cm in diameter for scale. Movie taken with a high speed camera recording at 240 frames per second, resulting in a factor of 8 slow-down compared to real time.

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River	ID	S	W	H drop	r <sub>pool</sub>	h pool	D pool	D river	A	$Q_{2yr}$	Q <sub>sc_pool</sub>	$ au_{*pool}$	(z <sub>lip</sub> – z <sub>mixed</sub> )	r <sub>pool</sub>	δ	UTM E antin a	UTM Northing	Pool	Depth
			(m)	(m)	(m)	(m)	(m)	(m)	(km <sup>-</sup> )	(m <sup>°</sup> /s)	/ <b>Q</b> <sub>w</sub>	$/\tau_{*c}$	/ L <sub>d</sub>	/ <b>L</b> <sub>d</sub>	/ <b>L</b> d	Easting	Northing	noor	meas.
Colby Canyon	CP1	0.06	5	2.5	2.3	0.9	0.01	0.15	2.62	1.03	0.10	7.56	0.52	1.39	0.32	395326	3792758	sed	1
Colby Canyon	CP2a	0.07	4	2	0.9	0.65	0.015	0.15	1.64	0.64	0.08	4.10	0.32	0.45	0.23	395467	3792855	sed	1
Colby Canyon	CP2b	0.07	4	0.6	1.9	0.4	0.015	0.15	1.64	0.64	9.2 x 10 <sup>-4</sup>	1.58	0.57	2.73	0.73	395467	3792855	sed	1
Colby Canyon	CP3	0.06	3	1.2	1.8	0.5	0.015	0.15	1.64	0.64	0.01	2.72	0.56	2.14	0.55	395463	3792879	sed	1
Colby Canyon	CP4b	0.05	3	3.2	1.5	1	0.02	0.15	1.61	0.63	0.03	4.69	0.96	1.52	0.41	395568	3792957	sed	1
Colby Canyon	CP4c	0.05	3	1.9	2.3	1	0.02	0.15	1.61	0.63	1.8 x 10 <sup>-3</sup>	2.94	1.23	2.92	0.57	395568	3792957	sed	1
Little Santa Anita	LR1	0.08	3.5	8.5	1.0	0.1	0.02	0.1	5.49	1.43	0.70	12.21	5.4 x 10 <sup>-4</sup>	0.15	0.07	403678	3782944	sed	1
Little Santa Anita	LR2	0.08	5	4	2.9	0.5	0.02	0.1	5.49	1.43	0.04	5.99	0.30	1.96	0.39	403681	3782993	?	2
Little Santa Anita	LR3	0.08	4	3.5	0.7	0.3	0.02	0.1	5.54	1.44	0.19	5.42	$0^{\mathrm{b}}$	$0^{b}$	$0^{b}$	403700	3782879	br	1
Little Santa Anita	LR4	0.08	5	8	2.0	1.5	0.02	0.1	5.55	1.45	0.22	11.38	0.71	1.01	0.25	403707	3782848	?	2
Little Santa Anita	LR5a	0.08	4	5.5	0.8	1.5	0.02	0.1	5.55	1.45	0.38	8.11	$0^{\mathrm{b}}$	$0^{b}$	$0^{\mathrm{b}}$	403704	3782825	?	2
Little Santa Anita	LR5b	0.08	4	1.25	1.3	1.5	0.02	0.1	5.55	1.45	0.01	2.39	0.78	0.67	0.34	403704	3782825	?	2
Little Santa Anita	LD1a	0.08	5	1	0.6	0.24	0.02	0.1	5.59	1.46	0.02	1.96	$0^{\mathrm{b}}$	$0^{b}$	$0^{\mathrm{b}}$	403707	3782759	br	1
Little Santa Anita	LD1b	0.08	5	4	0.7	0.1	0.02	0.1	5.59	1.46	0.22	6.00	$0^{\mathrm{b}}$	$0^{\mathrm{b}}$	$0^{\mathrm{b}}$	403707	3782759	sed	1
Little Santa Anita	LR6	0.08	6	5.2	1.9	2	0.02	0.1	5.6	1.46	0.08	7.54	1.04	1.01	0.30	403719	3782712	?	2
Little Santa Anita	LR7a	0.08	6	4.5	1.0	0.3	0.02	0.1	5.6	1.46	0.26	6.60	0.03	0.12	0.07	403675	3782679	sed	1
Little Santa Anita	LR7b	0.08	6	0.75	1.5	1.5	0.02	0.1	5.6	1.46	1.9 x 10 <sup>-3</sup>	1.55	1.18	1.20	0.54	403675	3782679	?	2
Little Santa Anita	LDF	0.1	6	1.5	2.1	0.1	0.02	0.1	5.7	1.48	0.02	2.64	0.05	1.72	0.53	403693	3782583	sed	1
Little Santa Anita	LR8	0.11	6	4.5	2.0	0.1	0.02	0.1	5.72	1.49	0.17	6.72	0.02	1.15	0.32	403699	3782457	sed	1
Little Santa Anita	LR9	0.11	5	2.7	2.0	2	0.02	0.1	5.76	1.50	0.02	4.39	1.29	1.33	0.40	403722	3782369	?	2
Little Santa Anita	LR10	0.09	3	3	1.5	1	0.02	0.1	5.8	1.51	0.08	4.98	0.49	0.78	0.30	403870	3782433	?	2
Little Santa Anita	LR11	0.09	2.5	4.7	2.3	4	0.02	0.1	5.82	1.52	4.8 x 10 <sup>-3</sup>	4.99	2.87	1.64	0.58	403910	3782489	?	2
Rubio Canyon	RR1	0.13	4	23	1.9	0.25	0.01	0.1	2.26	0.88	0.52	63.30	0.05	0.66	0.11	397227	3785825	sed	1
Rubio Canyon	RR2	0.13	3	6.5	1.6	0.2	0.01	0.1	2.26	0.88	0.55	19.15	0.06	0.67	0.17	397226	3785809	sed	1
Rubio Canyon	RR3	0.13	4	4.6	1.5	0.1	0.01	0.1	2.27	0.89	0.58	13.75	0.02	0.69	0.20	397223	3787590	sed	1
Rubio Canyon	RR4	0.15	4	6.2	2.3	0.1	0.01	0.1	2.27	0.89	0.36	18.18	0.02	1.17	0.21	397178	3785777	sed	1
Rubio Canyon	RR5	0.15	3	7.5	2.0	0.1	0.01	0.1	2.27	0.89	0.44	21.99	0.02	0.95	0.18	397172	3785769	sed	1
Rubio Canyon	RR6	0.18	4	8.5	1.4	0.1	0.01	0.1	2.28	0.89	0.63	24.56	0.01	0.47	0.13	397152	3785725	sed	1
Daisy Canyon	DC1	0.1	2	1.5	0.8	0.3	0.01	0.11	0.75	0.29	0.10	4.92	0.27	0.80	0.31	395633	3792897	sed	1
Daisy Canyon	DC2	0.1	3	2.3	1.3	0.65	0.01	0.11	0.75	0.29	0.06	6.87	0.72	1.55	0.35	395615	3792880	sed	1

Table S1. Measurements of field-surveyed plunge pools and calculation of non-dimensional variables<sup>a</sup>

Daisy Carnyon         DC4         0.1         2         1.5         1.0         0.1         0.11         0.8         0.31         0.10         4.96         0.48         1.14         0.36         372807         see           Daisy Carnyon         DC5         0.1         2         4         0.0         0.01         0.21         1.28         4.73         0.20         34.06         0.08         1.47         0.17         39569         3791349         see           Arroyo Seco         MSF         0.035         5         3         4.0         2         0.01         0.21         12.28         4.81         0.22         9.83         0.46         0.99         0.23         39365         3791207         7           Arroyo Seco         ASF1         0.04         4         1.21         3.0         0.01         0.21         12.53         4.90         0.11         6.83         0.11         0.74         0.24         391087         370876         see           Arroyo Seco         ASF2         0.016         3         0.01         0.21         12.49         4.89         0.13         8.03         0.05         0.33         39207         73         370876         se </th <th>Daisy Canyon</th> <th>DC3</th> <th>0.1</th> <th>2</th> <th>1.1</th> <th>1.0</th> <th>0.5</th> <th>0.01</th> <th>0.11</th> <th>0.76</th> <th>0.30</th> <th>0.04</th> <th>3.85</th> <th>0.60</th> <th>1.19</th> <th>0.40</th> <th>395604</th> <th>3792828</th> <th>sed</th> <th>1</th>	Daisy Canyon	DC3	0.1	2	1.1	1.0	0.5	0.01	0.11	0.76	0.30	0.04	3.85	0.60	1.19	0.40	395604	3792828	sed	1
Daisy Canyon         DCS         0.1         2         4         1.0         0.1         0.11         0.83         0.52         11.73         0.04         0.82         0.23         35508         3792735         space           Arroyo Seco         MSF         0.035         5         3         4.0         3         0.01         0.21         12.28         4.81         0.22         9.83         0.48         0.99         0.26         393585         3791207         ?           Arroyo Seco         ASF1         0.014         4         1.21         3.0         0.01         0.21         12.28         4.81         0.30         15.22         0.43         0.98         0.23         393585         3791207         ?           Arroyo Seco         ASF2         0.049         3         1.45         3.0         0.01         0.21         12.49         4.80         0.31         8.03         0.05         0.63         0.22         399083         ??           Arroyo Seco         ASF2         0.05         3         0.01         0.21         12.49         4.89         0.31         8.03         0.05         0.23         3990853         3990853         3990853         3990853 <t< td=""><td>Daisy Canyon</td><td>DC4</td><td>0.1</td><td>2</td><td>1.5</td><td>1.0</td><td>0.1</td><td>0.01</td><td>0.11</td><td>0.8</td><td>0.31</td><td>0.10</td><td>4.96</td><td>0.08</td><td>1.14</td><td>0.36</td><td>395581</td><td>3792807</td><td>sed</td><td>1</td></t<>	Daisy Canyon	DC4	0.1	2	1.5	1.0	0.1	0.01	0.11	0.8	0.31	0.10	4.96	0.08	1.14	0.36	395581	3792807	sed	1
Arroyo Seco       MSF       0.035       5       1       2       3       0.5       0.01       0.21       12.08       4.73       0.20       34.06       0.08       1.47       0.17       393653       379139       see         Arroyo Seco       LSF       0.035       5       3       4.0       3       0.01       0.21       12.28       4.81       0.02       15.22       0.43       0.98       0.22       393855       3791207       ?         Arroyo Seco       ASP1       0.014       4       1.21       3.0       0.3       0.01       0.21       12.25       4.90       0.01       0.07       0.73       0.28       394085       3790846       see         Arroyo Seco       ASP4       0.035       5       2.3       0.0       0.01       0.21       12.49       4.89       0.31       8.03       0.06       0.22       394045       3790846       see         Arroyo Seco       ASP5       0.016       4       1.23       3.0       0.1       0.01       2.1       2.49       4.89       0.31       8.03       0.20       394063       379077       ?         Fall Creek       FCR1       0.05       3       <	Daisy Canyon	DC5	0.1	2	4	1.0	0.1	0.01	0.11	0.85	0.33	0.52	11.73	0.04	0.82	0.23	395508	3792735	sed	1
Arroyo Seco       MSF       0.035       5       3       4.0       3       0.01       0.21       12.28       4.81       0.20       0.83       0.98       0.22       0.98555       3791207       ?         Arroyo Seco       ASPI       0.014       4       1.21       3.0       0.3       0.01       0.21       1.235       4.90       0.12       4.75       0.07       0.03       0.02       391485       3791077       ?         Arroyo Seco       ASPI       0.015       5       2.18       3.0       0.3       0.01       0.21       1.249       4.89       0.03       0.05       0.63       0.22       394485       3790816       so         Arroyo Seco       ASP3       0.035       5       2.18       3.0       0.01       0.01       1.21       1.49       4.89       0.33       8.03       0.05       0.61       0.22       394083       3790865       sa         Arroyo Seco       ASP5       0.016       4       1.23       3.0       0.1       0.01       0.21       1.248       4.88       0.13       4.85       0.02       0.73       0.28       394063       392083       379087678       so        Fall Cre	Arroyo Seco	USF	0.035	5	12	7.3	0.5	0.01	0.21	12.08	4.73	0.20	34.06	0.08	1.47	0.17	393659	3791349	sed	1
Arroyo Seco         ASF         0.035         5         5         4.4         2         0.01         0.21         12.28         4.81         0.030         15.22         0.43         0.98         0.22         33855         3791207         ?           Arroyo Seco         ASP1         0.014         4         1.21         3.0         0.3         0.01         0.21         1.253         4.90         0.21         4.755         0.07         0.73         0.28         394148         3790733         see           Arroyo Seco         ASP3         0.052         5         2.18         3.0         0.3         0.01         0.21         1.249         4.89         0.31         8.03         0.05         0.61         0.22         394048         3790866         see           Arroyo Seco         ASP5         0.016         4         1.23         3.0         0.1         0.21         1.249         4.89         0.31         8.62         0.45         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.47         3.99         0.55         0.02         0.25         5.68         0.26         5.11         0.33         4.12 <td>Arroyo Seco</td> <td>MSF</td> <td>0.035</td> <td>5</td> <td>3</td> <td>4.0</td> <td>3</td> <td>0.01</td> <td>0.21</td> <td>12.28</td> <td>4.81</td> <td>0.22</td> <td>9.83</td> <td>0.48</td> <td>0.99</td> <td>0.26</td> <td>393855</td> <td>3791207</td> <td>?</td> <td>3</td>	Arroyo Seco	MSF	0.035	5	3	4.0	3	0.01	0.21	12.28	4.81	0.22	9.83	0.48	0.99	0.26	393855	3791207	?	3
Arroyo Seco         ASPI         0.014         4         1.21         3.0         0.3         0.01         0.21         1.253         4.90         0.12         4.755         0.07         0.73         0.28         391448         3790733         see           Arroyo Seco         ASP3         0.015         5         2.18         3.0         0.01         0.21         1.249         4.89         0.31         8.03         0.06         0.022         3.94044         3790846         see           Arroyo Seco         ASP5         0.016         4         1.23         3.0         0.1         0.01         2.1         1.248         4.89         0.31         4.85         0.02         0.73         2.8         394066         3790866         see           Fall Creek         FCR         0.05         4         1.2         3.7         0.7         0.02         0.025         5.68         0.26         7.5 x 10 <sup>-1</sup> 7.5         3.46         0.33         32890         3796778         see           Fall Creek         FCR         0.05         4         1.02         3.0         0.5         0.02         0.02         5.68         0.26         7.5 x 10 <sup>-1</sup> 9.64         0.68	Arroyo Seco	LSF	0.035	5	5	4.4	2	0.01	0.21	12.28	4.81	0.30	15.22	0.43	0.98	0.22	393855	3791207	?	3
Arroyo Seco         ASP2         0.049         3         1.45         3.0         0.5         0.01         1.2.5         4.90         0.21         6.85         0.11         0.74         0.24         394086         sec           Arroyo Seco         ASP3         0.055         5         2.18         3.0         0.01         0.21         1.2.49         4.89         0.23         8.02         0.063         0.63         0.22         394044         3790866         sec           Arroyo Seco         ASP5         0.016         4         1.23         3.0         0.1         0.01         0.21         1.2.48         4.89         0.23         8.02         0.73         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46         3.46 </td <td>Arroyo Seco</td> <td>ASP1</td> <td>0.014</td> <td>4</td> <td>1.21</td> <td>3.0</td> <td>0.3</td> <td>0.01</td> <td>0.21</td> <td>12.53</td> <td>4.90</td> <td>0.12</td> <td>4.75</td> <td>0.07</td> <td>0.73</td> <td>0.28</td> <td>394148</td> <td>3790733</td> <td>sed</td> <td>1</td>	Arroyo Seco	ASP1	0.014	4	1.21	3.0	0.3	0.01	0.21	12.53	4.90	0.12	4.75	0.07	0.73	0.28	394148	3790733	sed	1
Arroyo Seco       ASP3       0.052       5       2.18       3.0       0.01       0.21       12.49       4.89       0.31       8.03       0.05       0.63       0.22       394042       3790846       see         Arroyo Seco       ASP4       0.035       5       2.32       3.0       3       0.01       0.21       12.48       4.88       0.13       4.85       0.02       0.75       0.22       394048       3790686       see         Fall Creek       FCR1       0.05       3       10.5       1.9       2       0.02       5.68       0.26       7.5 x 10 <sup>4</sup> 7.35       3.46       3.46       0.72       392895       3796770       ?         Fall Creek       FCR2       0.05       4       12       3.7       0.7       0.02       0.025       5.68       0.26       0.5 x 10 <sup>4</sup> 7.64       0.68       5.68       0.33       32890       3796768       see         Classic Canyon       CCR1       0.12       4       1.5       1.6       0.02       0.02       0.25       5.68       0.26       0.11       3.15       0.37       4.17       0.18       32893       379673       see         Classic Canyon	Arroyo Seco	ASP2	0.049	3	1.45	3.0	0.5	0.01	0.21	12.51	4.90	0.21	6.85	0.11	0.74	0.24	394085	3790816	sed	1
Arroyo Seco       ASP4       0.035       5       2.32       3.0       3       0.01       0.21       12.49       4.89       0.23       8.02       0.40       0.61       0.22       394046       3790853       ?         Arroyo Seco       ASP5       0.016       4       1.23       3.0       0.1       0.01       0.21       12.48       4.88       0.13       4.85       0.02       0.73       0.28       394066       3790866       sec         Fall Creek       FCR2       0.05       3       10.5       1.9       2       0.02       5.68       0.26       7.5 x 10 <sup>-4</sup> 7.35       3.46       0.75       392893       3796758       sec         Fall Creek       FCR4       0.05       4       2.3       3.9       0.5       0.02       0.025       5.68       0.26       0.01       31.15       0.37       4.17       0.18       392893       3796728       se         Classic Canyon       CCR1       0.12       3       6.5       0.3       0.80       0.03       0.05       1.49       0.07       0.00       1.42       1.97       7.96       0.8       392683       3796453       se        Classic Canyon       CC	Arroyo Seco	ASP3	0.052	5	2.18	3.0	0.3	0.01	0.21	12.49	4.89	0.31	8.03	0.05	0.63	0.22	394042	3790846	sed	1
Arroyo Seco         ASP5         0.016         4         1.23         3.0         0.1         0.01         0.21         12.48         4.88         0.13         4.85         0.02         0.73         0.28         394066         3790676         see           Fall Creek         FCR         0.05         3         1.05         1.9         2         0.02         0.025         5.68         0.26         7.5 x 10 <sup>4</sup> 7.33         3.46         3.46         0.46         0.25         392885         3796758         see           Fall Creek         FCR3         0.05         3         7         3.9         0.5         0.02         0.025         5.68         0.67         7.x 10 <sup>4</sup> 9.64         0.68         0.33         392893         3796726         see           Classic Caryon         CC1         0.12         4         1.5         0.4         0.03         0.05         1.42         0.07         0.00         1.42         1.97         7.96         0.86         392893         3796746         see           Classic Caryon         CCR2         0.12         3         9         2.3         0.5         0.02         0.07         1.49         0.07         1.4 x 10 <sup>4</sup>	Arroyo Seco	ASP4	0.035	5	2.32	3.0	3	0.01	0.21	12.49	4.89	0.23	8.02	0.40	0.61	0.22	394048	3790853	?	3
Fall Creek       FCR1       0.05       3       10.5       1.9       2       0.02       0.25       5.68       0.26       7.5 x 10 <sup>4</sup> 7.35       3.46       3.46       0.72       392877       3796770       ?         Fall Creek       FCR2       0.05       3       12       3.7       0.7       0.02       0.025       5.68       0.26       2.5 x 10 <sup>4</sup> 16.34       0.75       4.69       0.25       392885       3796778       see         Fall Creek       FCR4       0.05       4       23       39       0.5       0.02       0.025       5.68       0.01       0.115       0.37       4.17       1.8       392893       3796728       see         Classic Canyon       CC1       0.12       4       1.5       1.5       0.4       0.03       0.05       1.49       0.07       4.1 x 10 <sup>4</sup> 13.15       1.79       5.49       0.38       392684       3796728       see         Classic Canyon       CCR2       0.12       3       6.5       0.02       0.05       1.49       0.07       4.1 x 10 <sup>4</sup> 13.15       1.79       5.4       0.33       392675       3796474       see       Classic Canyon       CCR2a	Arroyo Seco	ASP5	0.016	4	1.23	3.0	0.1	0.01	0.21	12.48	4.88	0.13	4.85	0.02	0.73	0.28	394066	3790866	sed	1
Fail Creek       FCR2       0.05       4       12       3.7       0.7       0.02       0.025       5.68       0.26       2.5 x 10 <sup>-3</sup> 16.34       0.75       4.69       0.25       392885       3796786       see         Fall Creek       FCR3       0.05       3       7       3.9       0.55       0.02       0.025       5.68       0.26       7.7 x 10 <sup>-4</sup> 9.64       0.68       5.68       0.33       392890       3796736       see         Classic Canyon       CCR1       0.12       3       0.5       0.02       0.025       5.68       0.26       0.01       1.15       0.37       4.17       0.18       3796738       see         Classic Canyon       CCR1       0.12       3       6.5       3.08       0.01       0.05       1.49       0.07       4.1x 10 <sup>-4</sup> 13.15       1.19       0.8       392684       3796738       see         Classic Canyon       CCR2       0.12       3       2       1.4       1.3       0.02       0.05       1.49       0.07       1.4 x 10 <sup>-3</sup> 5.67       0.74       4.47       0.43       392675       3796474       see         Classic Canyon       CCR2       0.12<	Fall Creek	FCR1	0.05	3	10.5	1.9	2	0.02	0.025	5.68	0.26	7.5 x 10 <sup>-4</sup>	7.35	3.46	3.46	0.72	392877	3796770	?	3
Fail Creek       FCR3       0.05       3       7       3.9       0.55       0.02       0.025       5.68       0.26       7.7 x 10 <sup>4</sup> 9.64       0.68       5.68       0.33       392890       3796746       see         Fail Creek       FCR4       0.05       4       23       3.9       0.5       0.02       0.025       5.68       0.00       1.15       0.37       4.17       0.18       392893       3796323       see         Classic Canyon       CCR1       0.12       3       6.5       2.3       0.6       0.02       0.05       1.49       0.07       4.8 x 10 <sup>4</sup> 13.15       1.79       5.49       0.88       392893       3796323       see         Classic Canyon       CCR2       0.12       3       6.5       0.3       0.02       0.05       1.49       0.07       4.1 x 10 <sup>4</sup> 1.26       1.08       6.11       0.9       392675       3796474       see         Classic Canyon       CCR2b       0.12       3       2       1.6       0.3       0.01       0.07       1.4 x 10 <sup>3</sup> 5.67       0.44       4.7       0.33       392675       3796474       see         Classic Canyon       CCR2b	Fall Creek	FCR2	0.05	4	12	3.7	0.7	0.02	0.025	5.68	0.26	2.5 x 10 <sup>-3</sup>	16.34	0.75	4.69	0.25	392885	3796758	sed	1
Fall Creek       FCR4       0.05       4       2.3       3.9       0.5       0.02       0.025       5.68       0.26       0.01       31.15       0.37       4.17       0.18       392895       3796728       see         Classic Canyon       CC1       0.12       4       1.5       1.5       0.4       0.03       0.05       1.42       0.07       0.00       1.42       1.97       7.96       0.86       32283       3796323       see         Classic Canyon       CCR2       0.12       3       6.5       2.3       0.8       0.01       0.05       1.49       0.07       4.8 x 10 <sup>4</sup> 13.15       1.79       5.48       0.38       392675       3796474       see         Classic Canyon       CCR2       0.12       3       2       1.6       0.3       0.01       0.05       1.49       0.07       1.4 x 10 <sup>-3</sup> 5.67       0.74       4.47       0.43       392675       3796474       see         Classic Canyon       CCR2b       0.71       3       3.5       0.5       1.0       0.03       22.75       7.27       0.67       75.54       0.03       0.16       0.4       391431       3797431       see       fox Cre	Fall Creek	FCR3	0.05	3	7	3.9	0.55	0.02	0.025	5.68	0.26	7.7 x 10 <sup>-4</sup>	9.64	0.68	5.68	0.33	392890	3796746	sed	1
Classic Canyon       CC1       0.12       4       1.5       1.5       0.4       0.03       0.05       1.42       0.07       0.00       1.42       1.97       7.96       0.86       392833       3796323       see         Classic Canyon       CCR1       0.12       3       6.5       2.3       0.8       0.01       0.05       1.49       0.07       4.8 x 10 <sup>4</sup> 13.15       1.79       5.49       0.38       392643       3796474       see         Classic Canyon       CCR2       0.12       3       2       1.4       1.3       0.02       0.05       1.49       0.07       0.00       1.69       6.46       6.96       1.32       392675       3796474       be         Classic Canyon       CCR2b       0.12       3       2       1.6       0.3       0.01       0.05       1.49       0.07       1.4 x 10 <sup>3</sup> 5.67       0.74       4.47       0.43       392675       3796474       be         Classic Canyon       CCR2b       0.12       3       2       1.6       0.3       0.01       2.75       7.27       0.67       75.4       0.03       0.16       94.31       379738       see       fox Creek       FXR	Fall Creek	FCR4	0.05	4	23	3.9	0.5	0.02	0.025	5.68	0.26	0.01	31.15	0.37	4.17	0.18	392895	3796728	sed	1
Classic Canyon       CCR1       0.12       3       6.5       2.3       0.8       0.01       0.05       1.49       0.07       4.8 x 10 <sup>4</sup> 13.15       1.79       5.49       0.38       392684       3796459       see         Classic Canyon       CCR2       0.12       3       9       2.3       0.5       0.02       0.05       1.49       0.07       0.00       1.69       6.46       6.96       1.32       392675       3796474       see         Classic Canyon       CCR2b       0.12       3       2       1.4       1.3       0.02       0.05       1.49       0.07       0.00       1.69       6.46       6.96       1.32       392675       3796474       see         Classic Canyon       CCR2b       0.12       3       2       1.6       0.3       0.01       0.05       1.49       0.07       1.4 x 10 <sup>-3</sup> 5.67       0.74       4.47       0.43       392675       3796474       see         Fox Creek       FXR1       0.05       3       2.3       1.0005       0.03       22.75       7.27       0.67       75.54       0.03       0.16       0.44       391473       379139       see         Fox Cree	Classic Canyon	CC1	0.12	4	1.5	1.5	0.4	0.03	0.05	1.42	0.07	0.00	1.42	1.97	7.96	0.86	392893	3796323	sed	1
Classic Canyon       CCR2       0.12       3       9       2.3       0.5       0.02       0.05       1.49       0.07       4.1 x 10 <sup>-4</sup> 12.26       1.08       6.11       0.29       392675       3796474       see         Classic Canyon       CCR2a       0.12       3       2       1.4       1.3       0.02       0.05       1.49       0.07       0.00       1.69       6.46       6.96       1.32       392675       3796474       see         Classic Canyon       CCR2b       0.12       3       2       1.6       0.3       0.01       0.05       1.49       0.07       1.4 x 10 <sup>-3</sup> 5.67       0.74       4.47       0.43       392675       3796474       see         Fox Creek       FXR1       0.05       2       3       2.3       1       0.005       0.03       22.75       7.27       0.70       26.31       0 <sup>b</sup> 0 <sup>b</sup> 0 <sup>b</sup> 391467       3797391       see         Fox Creek       FXR3       0.05       3.6       7.5       3.4       0.85       0.03       22.75       7.27       0.66       4.43       0.31       1.17       0.3       391495       3797399       see	Classic Canyon	CCR1	0.12	3	6.5	2.3	0.8	0.01	0.05	1.49	0.07	4.8 x 10 <sup>-4</sup>	13.15	1.79	5.49	0.38	392684	3796459	sed	1
Classic Canyon       CCR2a       0.12       3       2       1.4       1.3       0.02       0.05       1.49       0.07       0.00       1.69       6.46       6.96       1.32       392675       3796474       br         Classic Canyon       CCR2b       0.12       3       2       1.6       0.3       0.01       0.05       1.49       0.07       1.4 x 10 <sup>-3</sup> 5.67       0.74       4.47       0.43       392675       3796474       set         Fox Creek       FXR1       0.05       2       3       2.3       1       0.005       0.03       22.75       7.27       0.70       26.31       0 <sup>b</sup> 0 <sup>b</sup> 0 <sup>b</sup> 391431       3797425       br         Fox Creek       FXR2       0.05       5       13       3.5       0.75       0.005       0.03       22.75       7.27       0.67       7.554       0.03       0.16       0.44       391467       3797391       set         Fox Creek       FXR4       0.05       3.6       7.5       3.4       0.85       0.03       0.03       22.75       7.27       0.06       4.43       0.31       1.17       0.30       391491       3797490       set       505<	Classic Canyon	CCR2	0.12	3	9	2.3	0.5	0.02	0.05	1.49	0.07	4.1 x 10 <sup>-4</sup>	12.26	1.08	6.11	0.29	392675	3796474	sed	1
Classic Canyon       CCR2b       0.12       3       2       1.6       0.3       0.01       0.05       1.4       0.07       1.4 x 10 <sup>-3</sup> 5.67       0.74       4.47       0.43       392675       3796474       see         Fox Creek       FXR1       0.05       2       3       2.3       1       0.005       0.03       22.75       7.27       0.70       26.31       0 <sup>b</sup> 0 <sup>b</sup> 0 <sup>b</sup> 391431       3797425       br         Fox Creek       FXR2       0.05       5       13       3.5       0.75       0.005       0.03       22.75       7.27       0.67       75.54       0.03       0.16       0.04       391431       3797391       see         Fox Creek       FXR3       0.05       3.6       7.5       3.4       0.85       0.03       0.27       7.27       0.06       4.43       0.31       1.17       0.37       391482       3797399       see         Fox Creek       FXR4       0.05       3.6       7.5       3.4       0.85       0.03       0.03       22.75       7.27       0.06       4.21       0.16       0.11       0.5       391431       379749       see         Fox Cree	Classic Canyon	CCR2a	0.12	3	2	1.4	1.3	0.02	0.05	1.49	0.07	0.00	1.69	6.46	6.96	1.32	392675	3796474	br	1
Fox Creek       FXR1       0.05       2       3       2.3       1       0.005       0.03       22.75       7.27       0.70       26.31       0 <sup>b</sup> 0 <sup>b</sup> 0 <sup>b</sup> 391431       379425       bar         Fox Creek       FXR2       0.05       5       13       3.5       0.75       0.005       0.03       22.75       7.27       0.67       75.54       0.03       0.16       0.04       391471       379391       set         Fox Creek       FXR3       0.05       3       3.5       3.5       1       0.03       0.03       22.75       7.27       0.06       4.43       0.31       1.17       0.37       391482       379389       set         Fox Creek       FXR4       0.05       3.6       7.5       3.4       0.85       0.03       22.75       7.27       0.04       7.88       0.19       0.86       0.27       391493       3797492       set         Fox Creek       FXR6       0.05       7       27       0.03       0.03       22.75       7.27       0.09       4.21       0.16       0.71       0.3       379401       set         Fox Creek       FXR7       0.05       4       3.5	Classic Canyon	CCR2b	0.12	3	2	1.6	0.3	0.01	0.05	1.49	0.07	1.4 x 10 <sup>-3</sup>	5.67	0.74	4.47	0.43	392675	3796474	sed	1
Fox Creek       FXR2       0.05       5       13       3.5       0.75       0.005       0.03       22.75       7.27       0.67       75.54       0.03       0.16       0.04       391467       3797391       see         Fox Creek       FXR3       0.05       3       3.5       3.5       1       0.03       0.03       22.75       7.27       0.06       4.43       0.31       1.17       0.37       391482       3797398       see         Fox Creek       FXR4       0.05       3.6       7.5       3.4       0.85       0.03       0.03       22.75       7.27       0.06       4.43       0.31       1.17       0.30       391495       3797399       see         Fox Creek       FXR6       0.05       4       3.5       2.8       0.7       0.03       0.03       22.75       7.27       0.09       4.21       0.16       0.71       0.30       391501       3797401       see         Fox Creek       FXR7       0.05       4       6       3.0       2       0.03       0.03       22.75       7.27       0.69       24.98       0.02       0.11       0.5       379740       see       50       Creek       FXR8	Fox Creek	FXR1	0.05	2	3	2.3	1	0.005	0.03	22.75	7.27	0.70	26.31	$0^{\mathrm{b}}$	$0^{\mathrm{b}}$	$0^{b}$	391431	3797425	br	1
Fox Creek       FXR3       0.05       3       3.5       3.5       1       0.03       0.23       22.75       7.27       0.06       4.43       0.31       1.17       0.37       391482       3797388       see         Fox Creek       FXR4       0.05       3.6       7.5       3.4       0.85       0.03       0.03       22.75       7.27       0.24       7.88       0.19       0.86       0.27       391495       3797398       see         Fox Creek       FXR5       0.05       4       3.5       2.8       0.7       0.03       0.03       22.75       7.27       0.09       4.21       0.16       0.71       0.30       391501       3797420       see         Fox Creek       FXR6       0.05       7       2.7       2.0       0.5       0.03       0.03       22.75       7.27       0.69       24.98       0.02       0.11       0.05       391565       3797461       see         Fox Creek       FXR7       0.05       4       6.3       0.7       0.03       0.03       22.75       7.27       0.14       6.45       0.47       0.74       0.27       391582       3797472       ?         Fox Creek	Fox Creek	FXR2	0.05	5	13	3.5	0.75	0.005	0.03	22.75	7.27	0.67	75.54	0.03	0.16	0.04	391467	3797391	sed	1
Fox Creek       FXR4       0.05       3.6       7.5       3.4       0.85       0.03       0.03       22.75       7.27       0.24       7.88       0.19       0.86       0.27       391495       3797399       set         Fox Creek       FXR5       0.05       4       3.5       2.8       0.7       0.03       0.03       22.75       7.27       0.09       4.21       0.16       0.71       0.30       391501       3797420       set         Fox Creek       FXR6       0.05       7       27       2.0       0.5       0.03       0.03       22.75       7.27       0.69       24.98       0.02       0.11       0.05       391505       3797461       set         Fox Creek       FXR7       0.05       4       6       3.0       2       0.03       0.03       22.75       7.27       0.14       6.45       0.47       0.74       0.27       391582       3797472       2       7       Fox Creek       FXR8       0.05       4       3.5       0.5       0.03       0.03       22.75       7.27       0.14       6.45       0.47       0.74       0.27       391582       3797472       2       5       Fox Creek       FXR	Fox Creek	FXR3	0.05	3	3.5	3.5	1	0.03	0.03	22.75	7.27	0.06	4.43	0.31	1.17	0.37	391482	3797388	sed	1
Fox Creek       FXR5       0.05       4       3.5       2.8       0.7       0.03       0.03       22.75       7.27       0.09       4.21       0.16       0.71       0.30       391501       3797420       set         Fox Creek       FXR6       0.05       7       27       2.0       0.5       0.03       0.03       22.75       7.27       0.69       24.98       0.02       0.11       0.05       391565       3797461       set         Fox Creek       FXR7       0.05       4       6       3.0       2       0.03       0.03       22.75       7.27       0.14       6.45       0.47       0.74       0.27       391582       3797472       ?         Fox Creek       FXR8       0.05       4       3.5       3.5       0.7       0.03       0.03       22.75       7.27       0.14       6.45       0.47       0.74       0.27       391582       3797472       ?         Fox Creek       FXR9       0.05       5       16       3.5       0.5       0.03       0.03       24.6       7.86       0.54       15.33       0.07       0.19       391524       3796514       set         Millard Canyon <td< td=""><td>Fox Creek</td><td>FXR4</td><td>0.05</td><td>3.6</td><td>7.5</td><td>3.4</td><td>0.85</td><td>0.03</td><td>0.03</td><td>22.75</td><td>7.27</td><td>0.24</td><td>7.88</td><td>0.19</td><td>0.86</td><td>0.27</td><td>391495</td><td>3797399</td><td>sed</td><td>1</td></td<>	Fox Creek	FXR4	0.05	3.6	7.5	3.4	0.85	0.03	0.03	22.75	7.27	0.24	7.88	0.19	0.86	0.27	391495	3797399	sed	1
Fox CreekFXR60.057272.00.50.030.0322.757.270.6924.980.020.110.053915653797461seeFox CreekFXR70.05463.020.030.0322.757.270.146.450.470.740.273915823797461seeFox CreekFXR80.0543.53.50.70.030.0322.757.270.146.450.470.740.273915823797472?Fox CreekFXR90.055163.50.50.030.0322.757.270.064.210.211.150.383916113797487seeFox CreekFXR90.055163.50.50.030.0324.67.860.5415.330.070.700.193915243796514seeMillard CanyonM10.0755172.90.30.010.055.12.000.4947.240.050.730.123948333787038seeWolfskill CanyonW10.1695.01.20.010.175.20.550.0124.880.763.360.204307383781897seeDry Meadow CkSTC10.05123.744.820.193.53.663661433984266<	Fox Creek	FXR5	0.05	4	3.5	2.8	0.7	0.03	0.03	22.75	7.27	0.09	4.21	0.16	0.71	0.30	391501	3797420	sed	1
Fox CreekFXR70.05463.020.030.0322.757.270.146.450.470.740.273915823797472?Fox CreekFXR80.0543.53.50.70.030.0322.757.270.064.210.211.150.383916113797487setFox CreekFXR90.055163.50.50.030.0324.67.860.5415.330.070.700.193915243796514setMillard CanyonM10.0755172.90.30.010.055.12.000.4947.240.050.730.123948333787038setWolfskill CanyonW10.1695.01.20.010.175.20.550.0124.880.763.360.204307383781897setDry Meadow CkSTC10.05122.666.23.90.193.53.663661433984266?Dry Meadow CkSTC30.05125.349.250.010.193.53.663661433984266?Dry Meadow CkSTC30.05125.349.250.010.193.53.6636614339842	Fox Creek	FXR6	0.05	7	27	2.0	0.5	0.03	0.03	22.75	7.27	0.69	24.98	0.02	0.11	0.05	391565	3797461	sed	1
Fox CreekFXR80.0543.53.50.70.030.0322.757.270.064.210.211.150.383916113797487seeFox CreekFXR90.055163.50.50.030.0324.67.860.5415.330.070.700.193915243796514seeMillard CanyonM10.0755172.90.30.010.055.12.000.4947.240.050.730.123948333787038seeWolfskill CanyonW10.1695.01.20.010.175.20.550.0124.880.763.360.204307383781897seeDry Meadow CkSTC10.05122.666.23.90.193.53.663661433984266?Dry Meadow CkSTC30.05125.349.250.010.193.53.663661433984266?Dry Meadow CkSTC30.05125.349.250.010.193.53.660.0113.341.562.890.323661463984250see	Fox Creek	FXR7	0.05	4	6	3.0	2	0.03	0.03	22.75	7.27	0.14	6.45	0.47	0.74	0.27	391582	3797472	?	2
Fox CreekFXR90.055163.50.50.030.0324.67.860.5415.330.070.700.193915243796514seeMillard CanyonM10.0755172.90.30.010.055.12.000.4947.240.050.730.123948333787038seeWolfskill CanyonW10.1695.01.20.010.175.20.550.0124.880.763.360.204307383781897seeDry Meadow CkSTC10.05122.666.23.90.193.53.663661393984275?Dry Meadow CkSTC20.05123.744.820.193.53.663661433984266?Dry Meadow CkSTC30.05125.349.250.010.193.53.660.0113.341.562.890.323661463984250see	Fox Creek	FXR8	0.05	4	3.5	3.5	0.7	0.03	0.03	22.75	7.27	0.06	4.21	0.21	1.15	0.38	391611	3797487	sed	1
Millard Canyon       M1       0.075       5       17       2.9       0.3       0.01       0.05       5.1       2.00       0.49       47.24       0.05       0.73       0.12       394833       3787038       see         Wolfskill Canyon       W1       0.1       6       9       5.0       1.2       0.01       0.17       5.2       0.55       0.01       24.88       0.76       3.36       0.20       430738       3781897       see         Dry Meadow Ck       STC1       0.05       12       2.66       6.2       3.9       0.1       93.5       3.66       -       -       -       -       -       366139       3984275       ?         Dry Meadow Ck       STC2       0.05       12       3.74       4.8       2       0.1       93.5       3.66       -       -       -       -       -       366143       3984266       ?         Dry Meadow Ck       STC3       0.05       12       5.34       9.2       5       0.01       0.1       93.5       3.66       0.01       13.34       1.56       2.89       0.32       366146       3984250       see	Fox Creek	FXR9	0.05	5	16	3.5	0.5	0.03	0.03	24.6	7.86	0.54	15.33	0.07	0.70	0.19	391524	3796514	sed	1
Wolfskill Canyon       W1       0.1       6       9       5.0       1.2       0.01       0.17       5.2       0.55       0.01       24.88       0.76       3.36       0.20       430738       3781897       see         Dry Meadow Ck       STC1       0.05       12       2.66       6.2       3.9       0.1       93.5       3.66       -       -       -       -       366139       3984275       ?         Dry Meadow Ck       STC2       0.05       12       3.74       4.8       2       0.1       93.5       3.66       -       -       -       -       -       366143       3984266       ?         Dry Meadow Ck       STC3       0.05       12       5.34       9.2       5       0.01       0.1       93.5       3.66       -       -       -       -       -       366143       3984266       ?         Dry Meadow Ck       STC3       0.05       12       5.34       9.2       5       0.01       0.1       93.5       3.66       0.01       13.34       1.56       2.89       0.32       366146       3984250       see	Millard Canyon	M1	0.075	5	17	2.9	0.3	0.01	0.05	5.1	2.00	0.49	47.24	0.05	0.73	0.12	394833	3787038	sed	1
Dry Meadow Ck       STC1       0.05       12       2.66       6.2       3.9       0.1       93.5       3.66       -       -       -       -       -       366139       3984275       ?         Dry Meadow Ck       STC2       0.05       12       3.74       4.8       2       0.1       93.5       3.66       -       -       -       -       366139       3984275       ?         Dry Meadow Ck       STC3       0.05       12       3.74       4.8       2       0.1       93.5       3.66       -       -       -       -       366143       3984266       ?         Dry Meadow Ck       STC3       0.05       12       5.34       9.2       5       0.01       0.1       93.5       3.66       0.01       13.34       1.56       2.89       0.32       366146       3984250       see	Wolfskill Canyon	W1	0.1	6	9	5.0	1.2	0.01	0.17	5.2	0.55	0.01	24.88	0.76	3.36	0.20	430738	3781897	sed	1
Dry Meadow Ck       STC2       0.05       12       3.74       4.8       2       0.1       93.5       3.66       -       -       -       -       -       366143       3984266       ?         Dry Meadow Ck       STC3       0.05       12       5.34       9.2       5       0.01       0.1       93.5       3.66       -       -       -       -       -       366143       3984266       ?         Dry Meadow Ck       STC3       0.05       12       5.34       9.2       5       0.01       0.1       93.5       3.66       0.01       13.34       1.56       2.89       0.32       366146       3984250       see	Dry Meadow Ck	STC1	0.05	12	2.66	6.2	3.9		0.1	93.5	3.66	-	-	-	-	-	366139	3984275	?	1
Dry Meadow Ck STC3 0.05 12 5.34 9.2 5 0.01 0.1 93.5 3.66 0.01 13.34 1.56 2.89 0.32 366146 3984250 set	Dry Meadow Ck	STC2	0.05	12	3.74	4.8	2		0.1	93.5	3.66	-	-	-	-	-	366143	3984266	?	1
	Dry Meadow Ck	STC3	0.05	12	5.34	9.2	5	0.01	0.1	93.5	3.66	0.01	13.34	1.56	2.89	0.32	366146	3984250	sed	1

Dry Meadow Ck	STC4	0.05	12	3.89	5.9	4.62	0.01	0.1	93.5	3.66	0.05	11.45	1.39	1.79	0.28	366155	3984237	sed	1
Dry Meadow Ck	STC5	0.05	12	1.24	4.9	2.21		0.1	93.5	3.66	-	-	-	-	-	366159	3984225	br	1
Dry Meadow Ck	STC6	0.05	12	2.85	7.4	2.53		0.1	93.5	3.66	-	-	-	-	-	366166	3984219	?	1
Dry Meadow Ck	STC7	0.05	12	2.36	4.5	2.55	0.01	0.1	93.5	3.66	0.06	7.33	0.83	1.48	0.33	366175	3984206	sed	1
Dry Meadow Ck	STC8	0.05	12	11	4.4	1.35		0.1	93.5	3.66	-	-	-	-	-	366191	3984207	?	1
Dry Meadow Ck	STC9	0.05	12	13.99	6.4	3.57		0.1	93.5	3.66	-	-	-	-	-	366246	3984191	?	1
Kapaa Stream	HFU	0.007	12	6	4.0	3		0.15	16.8	111.73	-	-	-	-	-	464537	2444738	?	3
SF Wailua River	WF	0.006	12	49	40.0	10		0.1	62	412.33	-	-	-	-	-	460951	2436662	?	4
Huleia Stream	KP	0.003	10	5.6	22.3	7.5		0.2	47	177.76	-	-	-	-	-	456876	2427414	?	1
Kaulaula Valley	KA	0.13	6	39	3.7	0.2	0.01	0.3	3.2	2.31	0.48	107.01	0.01	0.73	0.09	425986	2442220	?	1
Hanakapiai Stream	HF	0.4	10	120	22.0	4.7		0.3	4.5	27.19	-	-	-	-	-	438743	2453474	?	1

<sup>a</sup> *S* and *W* refer to reach-averaged channel slope and width upstream of the waterfall. Plunge-pool grain size measurements (*D*) reported are typically from visual estimates, and reachaveraged grain sizes are a mixture of visual estimates and random-walk pebble counts. Pool depth ( $h_{pool}$ ) refers to the vertical distance from the downstream plunge-pool lip to the pool floor (i.e.,  $h_{pool} = z_{lip} - z_{sed}$ ) which was typically sediment but for some pools the bedrock floor was exposed (as indicated in the "pool floor" column where "sed" indicates a sediment floor, "br" indicates a bedrock floor, and "?" indicates no distinction between bedrock versus sediment floor was made). Two-year recurrence interval discharge estimates ( $Q_{2yr}$ ) are made from USGS gage 11098000 for plunge pools on Arroyo Seco, Colby Canyon, Millard Canyon, and Rubio Canyon, from gage 11100500 for pools on Little Santa Anita, from gage 11095500 for pools on Classic Canyon and Fall Creek, from gage 11095000 for pools on Fox Creek, from data provided by the US Forest Service Forest San Dimas Experimental Forest for plunge pools on Wolfskill Canyon, from gage 11186000 for Kaulaula Valley, and from gage 1615000 for Hanakapiai Stream. Non-dimensional variables were calculated using the median grain diameter of sediment deposited in the plunge pool, discharge equal to  $Q_{2yr}$ , and  $Cf_{_{_{TWF}}}$  set to 0.01. We did not calculate non-dimensional variables values for streams in which we did not make a measure of the plunge-pool grain size and denote such cases with '-'. "Depth meas." column reports the technique used for depth measurements, 1 - manual measurements of pool depth with tape measure or stadia rod, 2 - depths estimates from C. Brennen, 3 - depth estimate based on observation of cliff jumpers, 4 - reported in Doughty [2010], see Supplementary Material text for more details.  $H_{drop}$  - waterfall drop height,  $r_{pool}$  - plunge-pool radius, A - drainage area upstream of waterfall,  $Q_{xc_{_{POO}}}/Q_w$  - plunge-poo

<sup>b</sup> These are cases with large discharges relative to pool diameter and grain size such that  $w_{net} < 0$  and, as a result,  $L_d$  is infinite.

						1	1	Minimum	Maximum	Average	<u>_</u>		$(z_{lin} -$		
Exp	$Q_s$	$Q_w$	H drop	r <sub>pool</sub>	D	<b>u</b> brink	h brink	equilibrium	equilibrium	equilibrium	Q sc_pool	$ au_{*pool}$	z mixed)	r <sub>pool</sub>	δ
#	(g/s)	(L/s)	(cm)	(cm)	(mm)	(m/s)	(cm)	pool depth (cm)	pool depth (cm)	pool depth (cm)	/ <b>Q</b> <sub>w</sub>	/ $ au_{*c}$	/ L <sub>d</sub>	/ <b>L</b> <sub>d</sub>	/ <b>L</b> <sub>d</sub>
1	$0\pm 0$	0.76	66	5.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	21.7	27.4	24.9	0	3.31	3.33	0.70	0.68
1	$3.14 \pm 0.33$	0.76	66	5.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	18.2	23.4	20.8	0.0024	3.97	2.52	0.64	0.52
1	$5.12 \pm 0.44$	0.76	66	5.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	17.2	22.9	20.3	0.0039	4.06	2.43	0.63	0.50
1	$8.84\pm 0.63$	0.76	66	5.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	13.8	21.5	18.4	0.0068	4.48	2.09	0.60	0.43
1	$13.26\pm0.93$	0.76	66	5.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	12.8	21.5	17.5	0.01	4.71	1.93	0.59	0.40
1	$16.88 \pm 1.24$	0.76	66	5.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	13.8	21.5	18.1	0.013	4.56	2.03	0.60	0.42
2	$0\pm 0$	0.58	66	5.1	2.4	$0.59\pm0.1$	$1.0\pm0.2$	20.7	25.9	23.6	0	3.07	4.48	0.99	0.91
2	$3.14 \pm 0.33$	0.58	66	5.1	2.4	$0.59\pm0.1$	$1.0\pm0.2$	16.2	20.0	18.5	0.0031	3.91	3.08	0.88	0.64
2	$5.12 \pm 0.44$	0.58	66	5.1	2.4	$0.59\pm0.1$	$1.0\pm0.2$	14.3	20.0	17.9	0.0051	4.04	2.93	0.86	0.61
2	$8.84\pm 0.63$	0.58	66	5.1	2.4	$0.59\pm0.1$	$1.0\pm0.2$	13.3	19.0	16.6	0.0088	4.36	2.60	0.83	0.54
2	$16.88 \pm 1.24$	0.58	66	5.1	2.4	$0.59\pm0.1$	$1.0\pm0.2$	9.8	17.0	14.7	0.017	4.94	2.13	0.78	0.45
4	$0\pm 0$	0.76	63	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	23.6	25.1	24.2	0	3.30	4.73	1.54	0.97
4	$3.14 \pm 0.33$	0.76	63	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	19.2	21.2	20.3	0.0024	3.94	3.60	1.41	0.74
4	$5.12\pm0.44$	0.76	63	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	18.7	20.2	19.5	0.0039	4.09	3.40	1.38	0.70
4	$8.84\pm 0.63$	0.76	63	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	17.7	19.2	18.9	0.0068	4.23	3.22	1.36	0.67
4	$13.26\pm0.93$	0.76	63	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	16.2	18.7	17.5	0.01	4.56	2.86	1.31	0.59
4	$16.88 \pm 1.24$	0.76	63	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	15.8	18.7	17.0	0.013	4.70	2.73	1.29	0.57
5	$0\pm 0$	0.76	61	10.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	20.7	23.1	22.1	0	3.53	4.56	2.15	0.94
5	$3.14 \pm 0.33$	0.76	61	10.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	18.7	20.2	19.6	0.0024	3.97	3.80	2.02	0.78
5	$5.12\pm0.44$	0.76	61	10.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	17.7	19.7	18.9	0.0039	4.13	3.58	1.99	0.74
5	$8.84\pm0.63$	0.76	61	10.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	17.2	18.7	17.8	0.0068	4.37	3.27	1.93	0.68
5	$13.26\pm0.93$	0.76	61	10.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	15.3	17.2	15.9	0.01	4.89	2.74	1.82	0.57
5	$16.88 \pm 1.24$	0.76	61	10.1	2.4	$0.59\pm0.1$	$1.3\pm0.2$	11.8	13.3	12.6	0.013	6.20	1.88	1.62	0.40
6	$0\pm 0$	0.76	37	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	18.7	19.7	19.4	0	2.78	3.65	1.49	0.75
6	$3.14 \pm 0.33$	0.76	37	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	13.8	15.8	14.8	0.0024	3.64	2.40	1.30	0.50
6	$5.12\pm0.44$	0.76	37	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	12.8	14.8	13.6	0.0039	3.95	2.11	1.25	0.44
6	$8.84\pm 0.63$	0.76	37	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	11.8	13.8	12.2	0.0068	4.36	1.79	1.19	0.38
6	$13.26\pm0.93$	0.76	37	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	10.8	11.8	11.5	0.01	4.36	1.67	1.19	0.38
6	$16.88 \pm 1.24$	0.76	37	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	10.8	12.8	11.4	0.013	4.36	1.66	1.19	0.38
7	$0\pm 0$	0.76	17	7.7	2.4	$0.59\pm0.1$	$1.3\pm0.2$	11.3	15.8	13.5	0	2.12	2.50	1.46	0.54

Table S2. Measurements from waterfall plunge-pool sediment-transport capacity experiments and calculation of non-dimensional variables<sup>a</sup>

7	$3.14 \pm 0.33$	0.76	17	7.7	2.4	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	7.9	9.8	8.8	0.0024	2.12	1.60	1.46	0.54
7	$5.12\pm0.44$	0.76	17	7.7	2.4	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	6.9	9.4	8.0	0.0039	2.12	1.46	1.46	0.54
7	$8.84\pm 0.63$	0.76	17	7.7	2.4	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	5.9	8.9	7.2	0.0068	2.12	1.30	1.46	0.54
7	$13.26\pm0.93$	0.76	17	7.7	2.4	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	5.9	8.4	6.9	0.01	2.12	1.24	1.46	0.54
7	$16.88 \pm 1.24$	0.76	17	7.7	2.4	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	5.4	7.4	6.2	0.013	2.12	1.11	1.46	0.54
9	$0\pm 0$	0.76	66	5.1	7	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	16.7	22.0	19.6	0	1.45	5.53	1.50	1.15
9	$2.36\pm0.26$	0.76	66	5.1	7	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	11.8	18.5	15.1	0.0018	1.88	3.63	1.31	0.77
9	$3.75\pm 0.38$	0.76	66	5.1	7	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	10.8	17.5	15.1	0.0029	1.88	3.63	1.31	0.77
9	$5.9\pm0.43$	0.76	66	5.1	7	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	6.9	15.6	11.4	0.0045	2.49	2.26	1.14	0.51
9	$8.22\pm0.12$	0.76	66	5.1	7	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	0.5	4.5	2.5	0.0063	2.61	0.27	1.11	0.47
10	$0\pm 0$	0.76	63	7.7	7	$0.59 \pm 0.1 \ 1.3 \pm 0.2$	0.5	4.5	2.5	0	2.50	0.33	2.03	0.58
12	$0\pm 0$	0.58	64	5.1	5.6	$0.59 \pm 0.1 \ 1.0 \pm 0.2$	19.2	19.7	19.4	0	1.56	6.29	1.71	1.30
12	$2.32\pm0.65$	0.58	64	5.1	5.6	$0.59 \pm 0.1 \ 1.0 \pm 0.2$	15.8	16.7	16.2	0.0023	1.87	4.72	1.56	0.99
12	$3.33\pm 0.33$	0.58	64	5.1	5.6	$0.59 \pm 0.1 \ 1.0 \pm 0.2$	11.3	12.8	12.1	0.0033	2.52	2.91	1.34	0.63
12	$5.67\pm0.13$	0.58	64	5.1	5.6	$0.59 \pm 0.1 \ 1.0 \pm 0.2$	7.9	8.9	8.4	0.0056	3.17	1.68	1.20	0.45
12	$9.48\pm0.2$	0.58	64	5.1	5.6	$0.59 \pm 0.1 \ 1.0 \pm 0.2$	5.9	6.9	6.4	0.0094	3.17	1.22	1.20	0.45
12	$16.77\pm0.17$	0.58	64	5.1	5.6	$0.59 \pm 0.1 \ 1.0 \pm 0.2$	5.4	6.9	6.2	0.017	3.17	1.16	1.20	0.45
12	$26.77\pm0.23$	0.58	64	5.1	5.6	$0.59 \pm 0.1 \ 1.0 \pm 0.2$	0.5	4.5	2.5	0.027	3.17	0.31	1.20	0.45
12	$34.23\pm0.03$	0.58	64	5.1	5.6	$0.59 \pm 0.1 \ 1.0 \pm 0.2$	0.5	4.5	2.5	0.034	3.17	0.31	1.20	0.45
13	$0\pm 0$	0.42	65.5	5.1	5.6	$0.48 \pm 0.1 \ 0.9 \pm 0.2$	0.5	4.5	2.5	0	3.21	0.39	1.52	0.48

<sup>a</sup> For all experiments, upstream flume width was 9.6 cm, and upstream water surface slope was approximately 0.007. Water velocity at waterfall brink ( $u_{brink}$ ) was calculated from conservation of mass based on water discharge ( $Q_w$ ), channel width, and flow depth at brink ( $h_{brink}$ ), mean ± standard deviation reported. Maximum, minimum, and average plunge-pool depth ( $h_{pool} = z_{lip} - z_{sed}$ ) measured at equilibrium reflect topographic variability across pool floor.  $H_{drop}$  - waterfall drop height,  $r_{pool}$  - plunge-pool radius, D - sediment grain size,  $Q_{sc_{pool}}$  - plunge-pool sediment-transport capacity,  $\tau_{*pool}/\tau_{*c}$  - transport stage on plunge-pool floor,  $L_d$  - turbulent diffusion length scale,  $\delta$  - radius of jet-descending region,  $z_{lip}$  - elevation of the plunge-pool downstream lip,  $z_{mixed}$  - elevation of the top of the well-mixed layer of sediment near the plunge-pool floor,  $z_{sed}$  - elevation of the top of the sediment deposited on the pool floor.